



# Topology: Magnetic Weyl semimetals



Claudia Felser

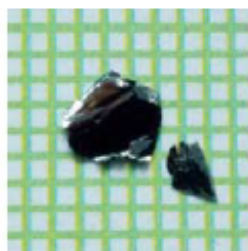


# Novel topological materials

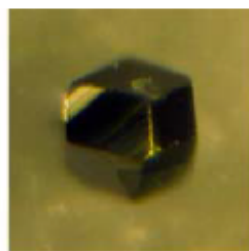
- **Explorative search for new materials & predictive design** (Yan Sun)
- **200** high quality **single crystal growth** (Shekhar Chandra)
- **Epitaxial growth** of thin films (Anastasios Markou)
- **2D materials – Nanowires** (Johannes Gooth)



Ag<sub>2</sub>Se 1000 μm



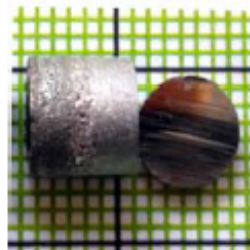
BiTeBr 3000 μm



CaPd<sub>3</sub>O<sub>4</sub> 100 μm



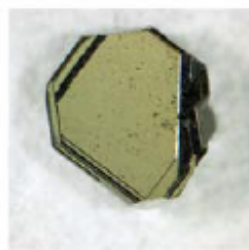
HfTe<sub>3</sub> 1000 μm



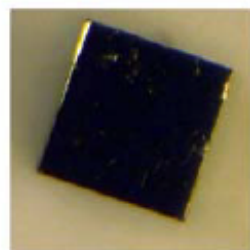
Mn<sub>3</sub>Ir 3000 μm



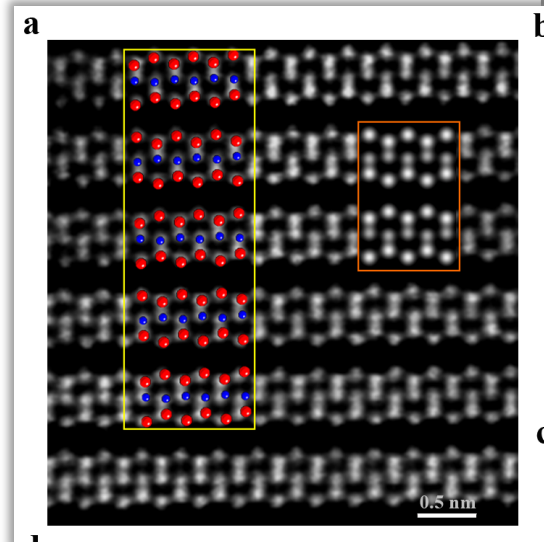
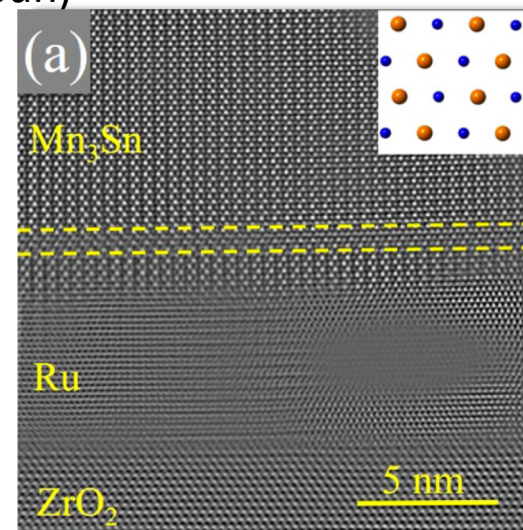
NbAs 2000 μm



NbP 2000 μm



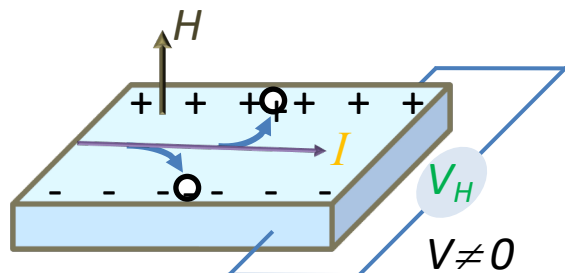
SrPd<sub>3</sub>O<sub>4</sub> 100 μm



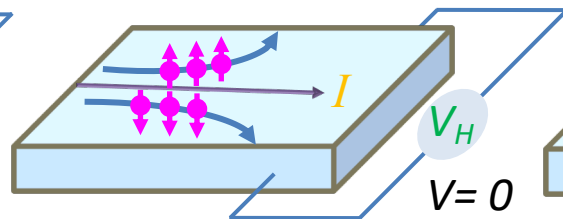




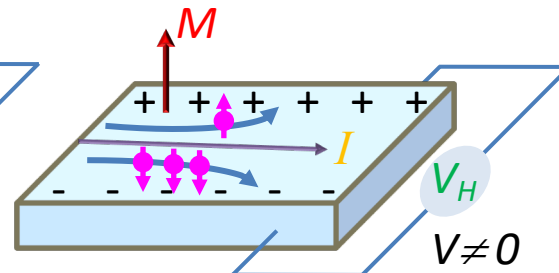
# Family of Quantum Hall Effects



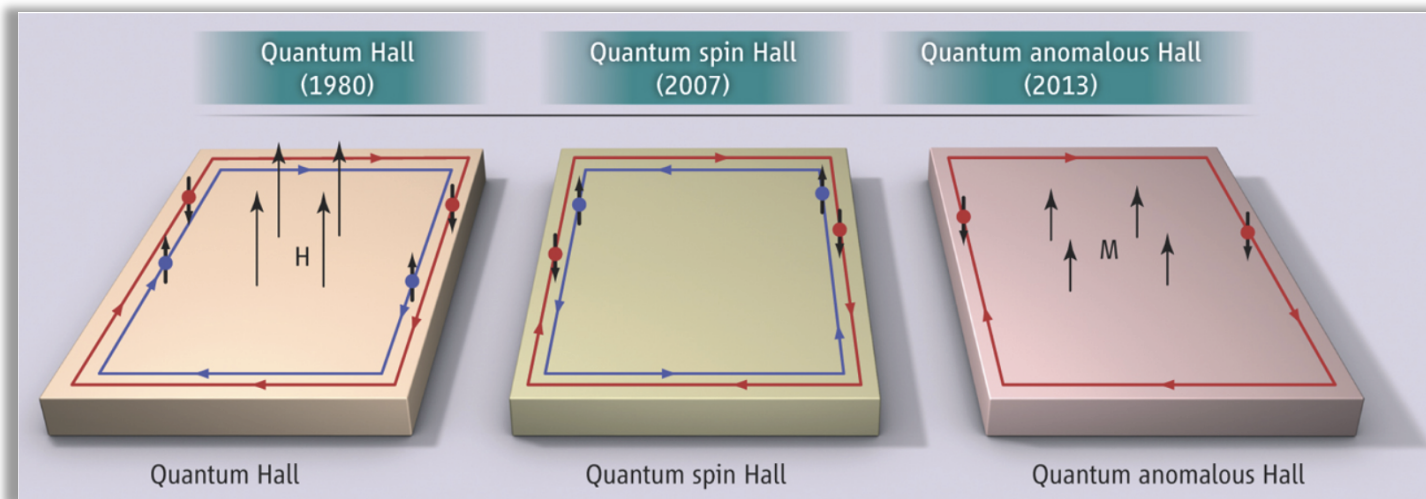
Hall Effect



Spin Hall Effect



Anomalous Hall Effect



**1985**  
Klaus von Klitzing

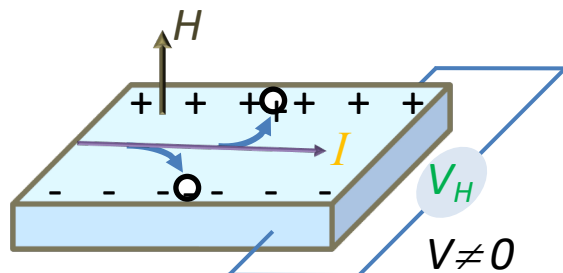
**1998**  
Horst Ludwig Störmer and Daniel Tsui

**2010**  
Andre Geim and Konstantin Novoselov

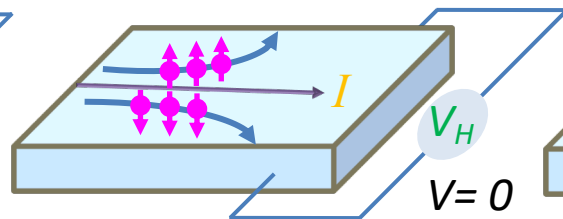
**2016**  
David Thouless, Duncan Haldane und Michael Kosterlitz



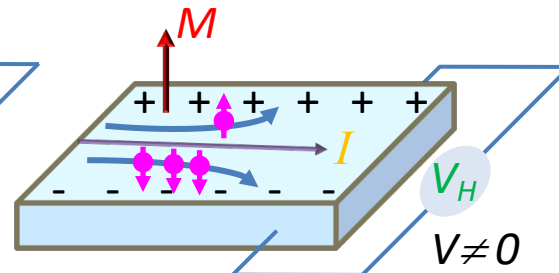
# Family of Quantum Hall Effects



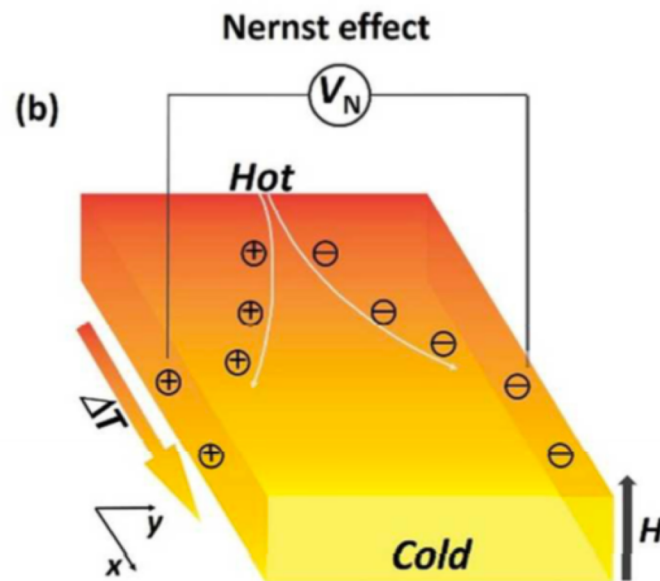
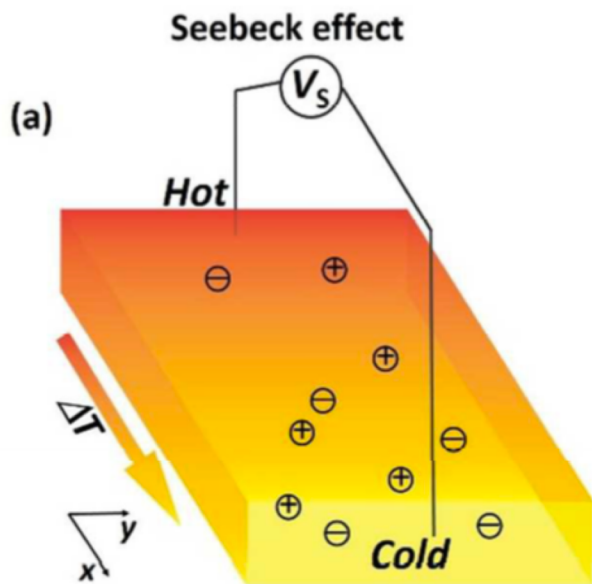
Hall Effect



Spin Hall Effect



Anomalous Hall Effect







# Anomalous Hall effect

REVIEWS OF MODERN PHYSICS, VOLUME 82, APRIL–JUNE 2010

## Anomalous Hall effect

Naoto Nagaosa

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and Cross-Correlated Materials Research Group (CMRG), and Correlated Electron  
Research Group (CERG), ASI, RIKEN, Wako, 351-0198 Saitama, Japan*

Jairo Sinova

*Department of Physics, Texas A&M University, College Station, Texas 77843-4242, USA  
and Institute of Physics ASCR, Cukrovarnická 10, 162 53 Praha 6, Czech Republic*

Shigeki Onoda

*Condensed Matter Theory Laboratory, ASI, RIKEN, Wako, 351-0198 Saitama, Japan*

A. H. MacDonald

*Department of Physics, University of Texas at Austin, Austin, Texas 78712-1081, USA*

N. P. Ong

*Department of Physics, Princeton University, Princeton, New Jersey 08544, USA*

(Published 13 May 2010)

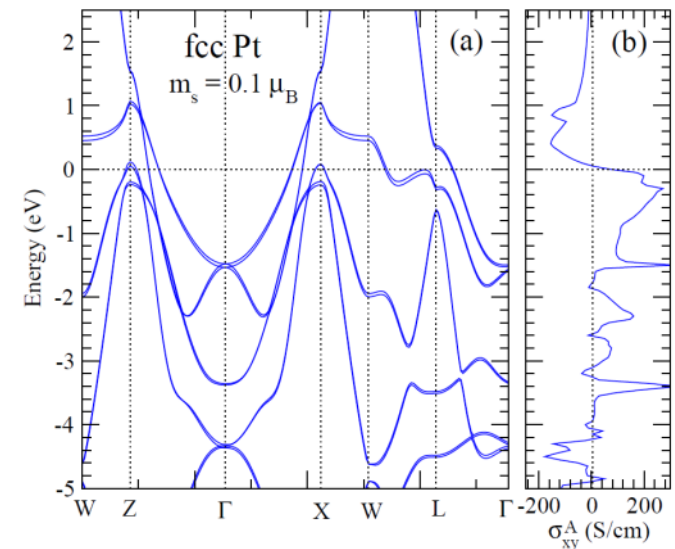
The anomalous Hall effect (AHE) occurs in solids with broken time-reversal symmetry, typically in a ferromagnetic phase, as a consequence of spin-orbit coupling. Experimental and theoretical studies of the AHE are reviewed, focusing on recent developments that have provided a more complete framework for understanding this subtle phenomenon and have, in many instances, replaced controversy by clarity. Synergy between experimental and theoretical works, both playing a crucial role, has been at the heart of these advances. On the theoretical front, the adoption of the Berry-phase concepts has established a link between the AHE and the topological nature of the Hall currents. On the experimental front, new experimental studies of the AHE in transition metals, transition-metal oxides, spinels, pyrochlores, and metallic dilute magnetic semiconductors have established systematic trends. These two developments, in concert with first-principles electronic structure calculations, strongly favor the dominance of an intrinsic Berry-phase-related AHE mechanism in metallic ferromagnets with moderate conductivity. The intrinsic AHE can be expressed in terms of the Berry-phase curvatures and it is therefore an intrinsic quantum-mechanical property of a perfect crystal. An extrinsic mechanism, skew scattering from disorder, tends to dominate the AHE in highly conductive ferromagnets. The full modern semiclassical treatment of the AHE is reviewed which incorporates an anomalous contribution to wave-packet group velocity due to momentum-space Berry curvatures and correctly combines the roles of intrinsic and extrinsic (skew-scattering and side-jump) scattering-related mechanisms. In addition, more rigorous quantum-mechanical treatments based on the Kubo and Keldysh formalisms are reviewed, taking into account multiband effects, and demonstrate the equivalence of all three linear response theories in the metallic regime. Building on results from recent experiment and theory, a tentative global view of the AHE is proposed which summarizes the roles played by intrinsic and extrinsic contributions in the disorder strength versus temperature plane. Finally outstanding issues and avenues for future investigation are discussed.

## Intrinsic Hall

- Berry curvature
- Magnetisation?

## Extrinsic Hall

- Skew scattering
- Side jumps

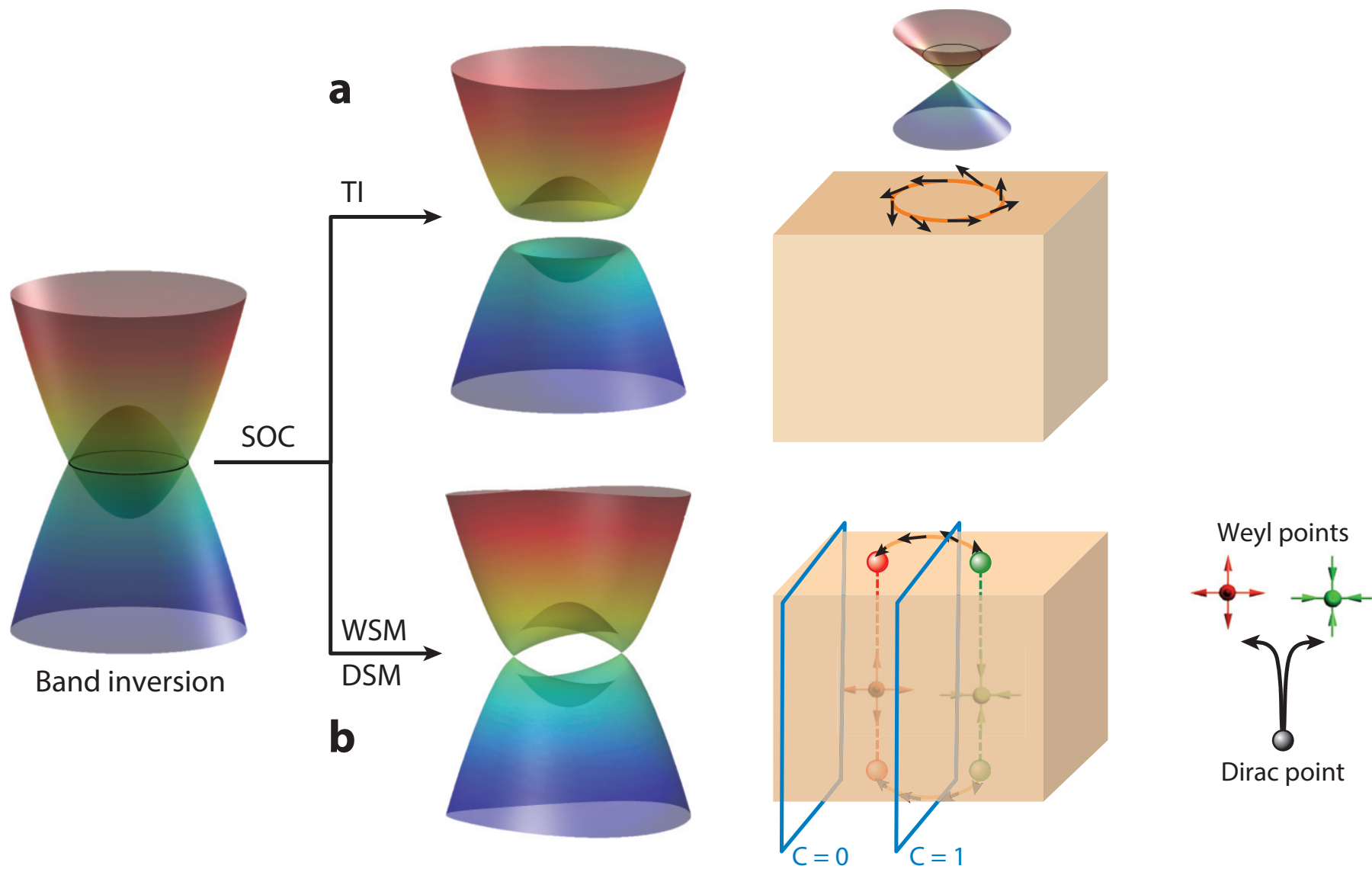


Anomalous Nernst and Hall effects in magnetized platinum and palladium

G. Y. Guo,<sup>1,2,\*</sup> Q. Niu,<sup>3,4</sup> and N. Nagaosa<sup>5,6</sup>



# Weyl semimetals





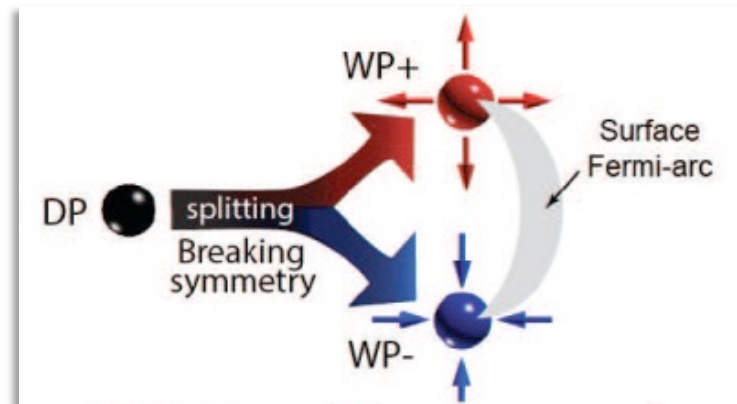
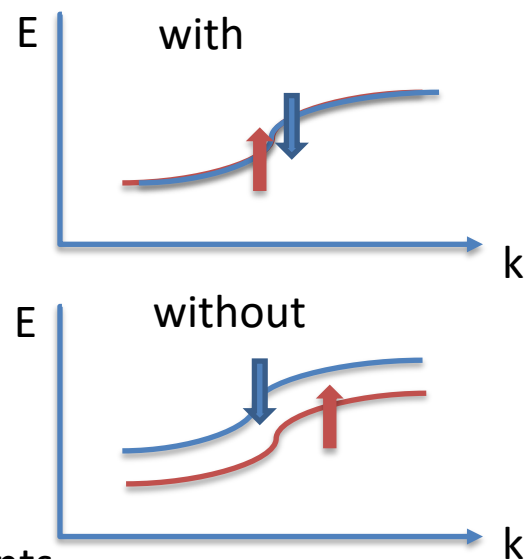
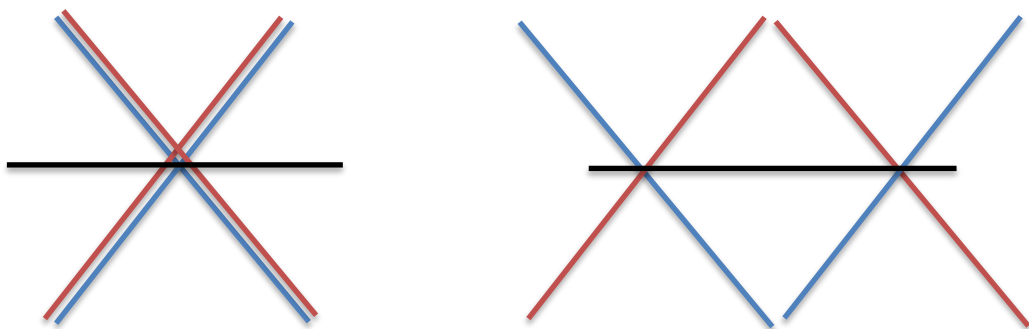


# Weyl Semimetal

- Breaking symmetry
  - Inversion symmetry (Structural distortion)
- Breaking time reversal symmetry
  - Magnetic field

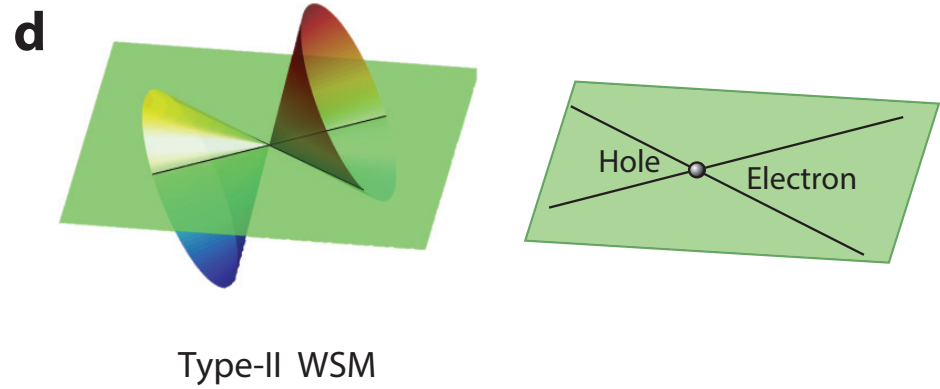
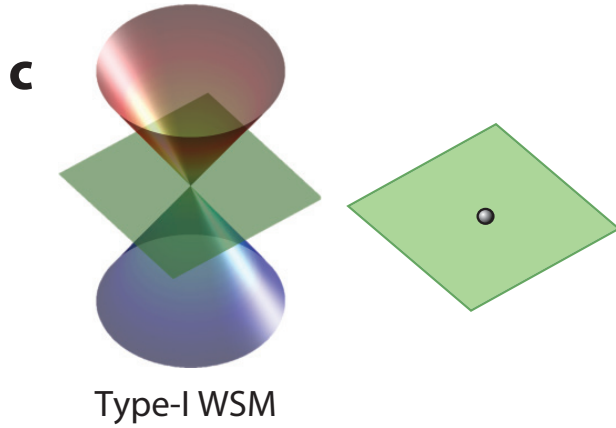
Dirac points are at high symmetry points

**Weyl** points are not at high symmetry points

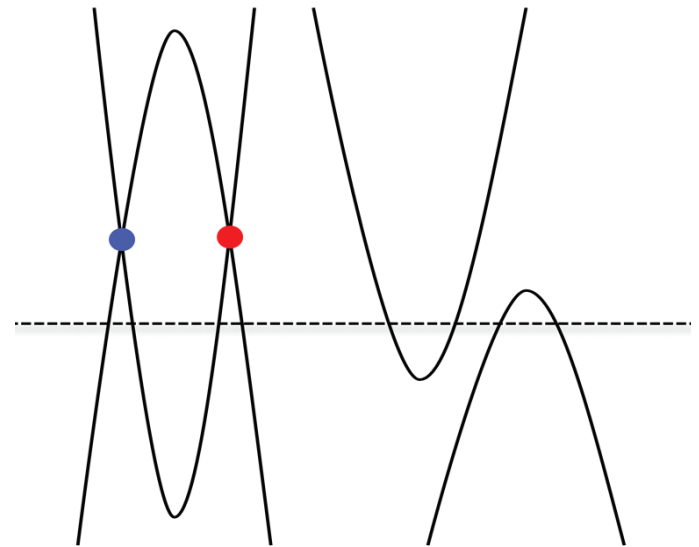
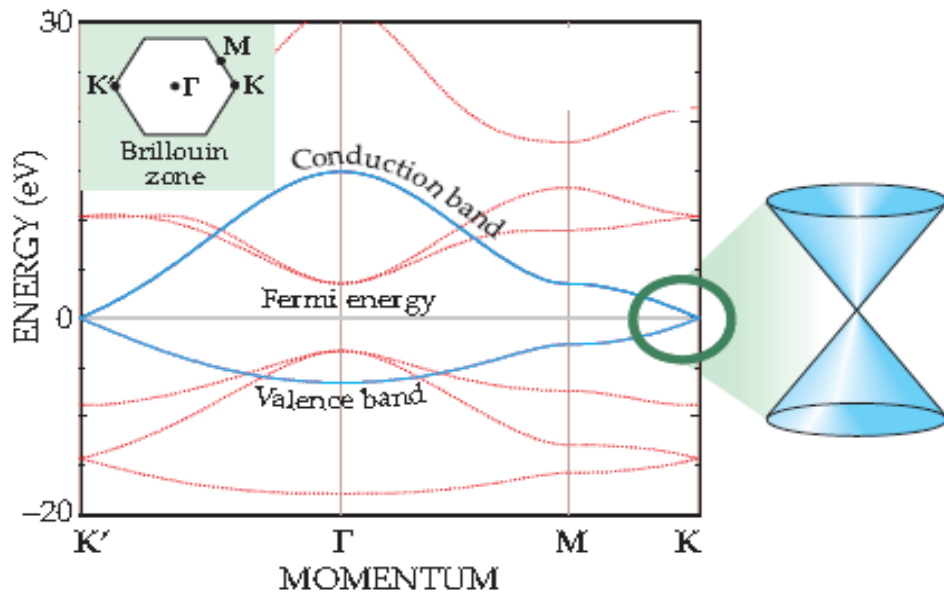




# Type I or II



## Graphene







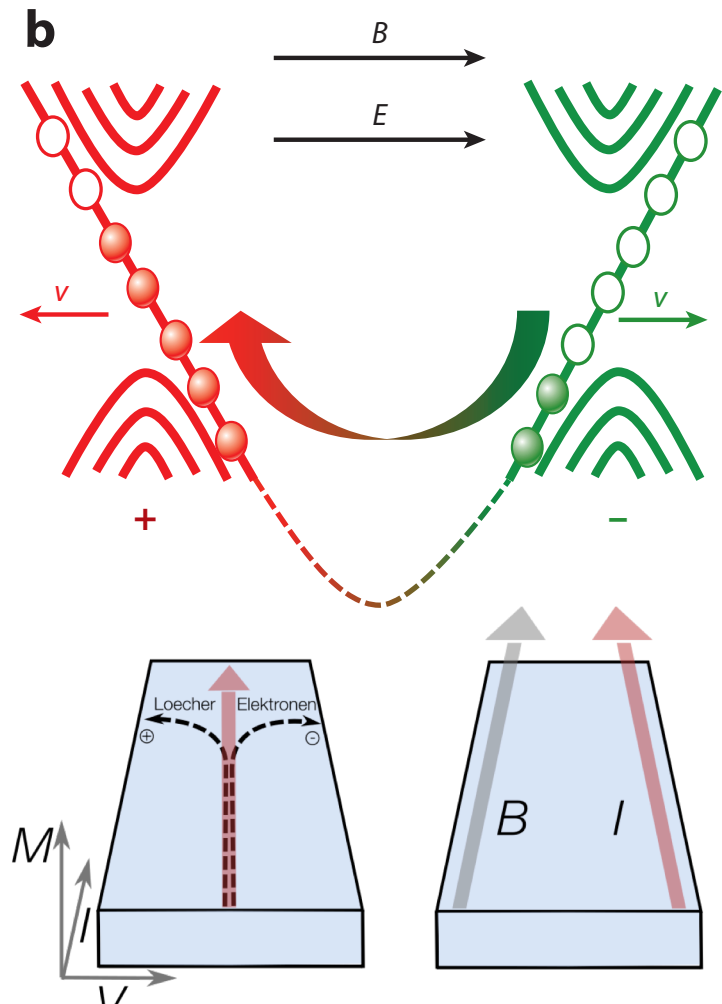
# Weyl semimetals

3D topological Weyl semimetals - breaking time reversal symmetry – in transport measurement we should see:

1. Fermi arc
2. Intrinsic anomalous Hall effect
3. Planar Hall effect
4. Axial gravitational anomaly
5. Chiral anomaly

$$\partial_\mu j_\chi^\mu = -\chi \frac{e^3}{4\pi^2 \hbar^2} \mathbf{E} \cdot \mathbf{B}$$

$$\sigma_a = \frac{e^3 v_f^3}{4\pi^2 \hbar \mu^2 c} B^2,$$



AA Burkov, L Balents, PRL 107 12720 (2012)

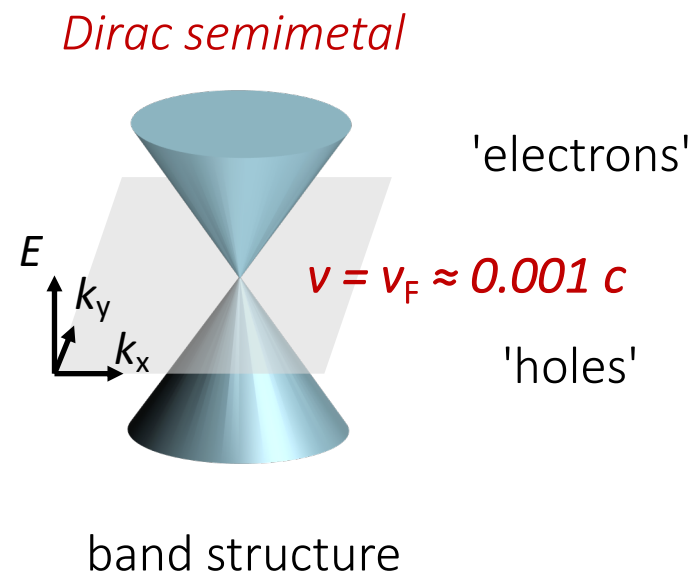
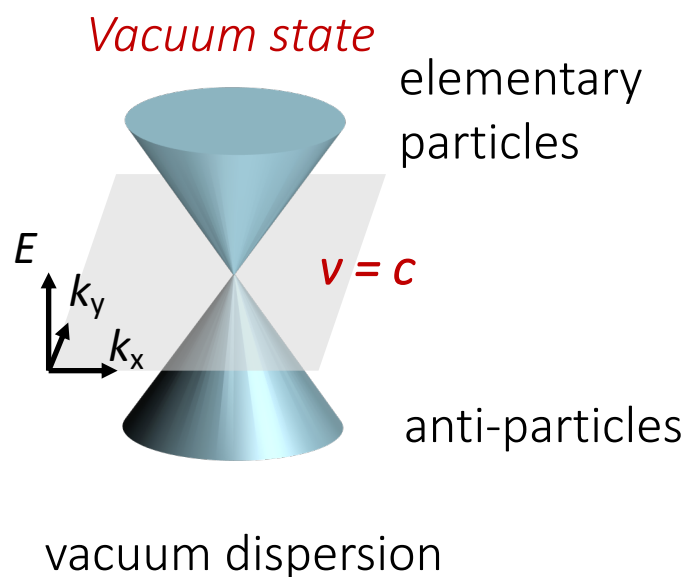
AA Burkov, arXiv:1704.05467v2

AA Burkov, J. Phys.: Condens. Matter 27 (2015) 113201



# Chiral Anomaly

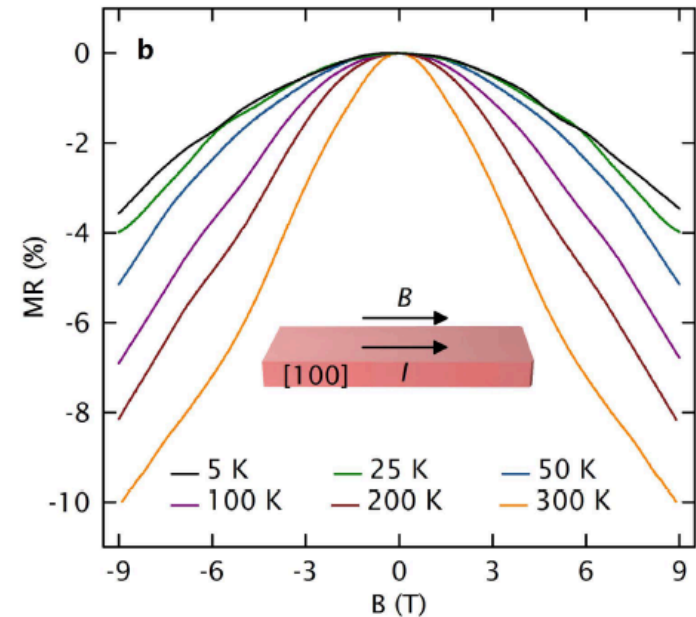
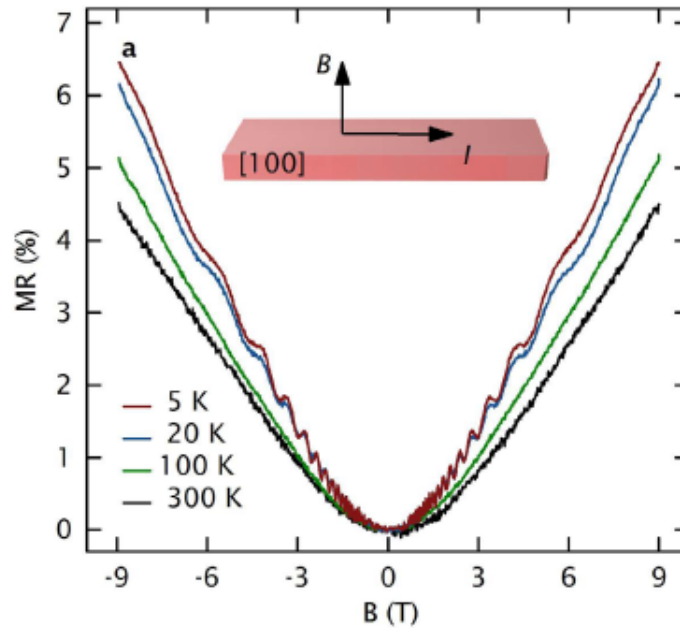
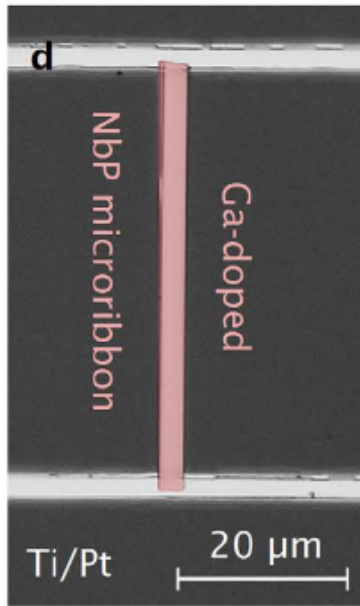
- Chiral anomaly is the **anomalous non-conservation** of a chiral current.
  - A sealed box with equal number of positive and negative charged particles, its found when it is opened to have more positive than negative particles, or vice-versa.
  - Events are expected to be prohibited according to classical conservation laws, must be ways they can be broken, because the observable **universe contains more matter than antimatter**
- Wikipedia







# Chiral Anomaly



$$\partial_{\mu} j_{\chi}^{\mu} = -\chi \frac{e^3}{4\pi^2 \hbar^2} \mathbf{E} \cdot \mathbf{B}$$

$$\sigma_a = \frac{e^3 v_f^3}{4\pi^2 \hbar \mu^2 c} B^2,$$

Ga-doping relocate the Fermi energy in NbP close to the W2 Weyl points. Therefore we observe a negative MR as a signature of the chiral anomaly the, NMR survives up to room temperature



# Chiral Anomaly

## Experimental signatures for the mixed axial-gravitational anomaly in Weyl semimetals

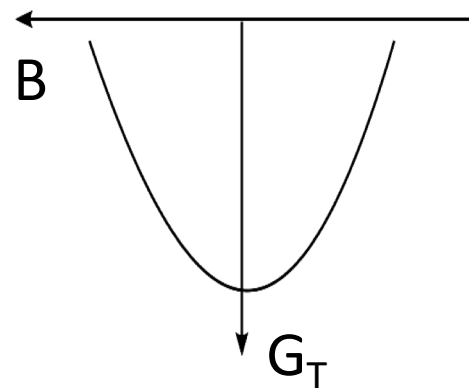
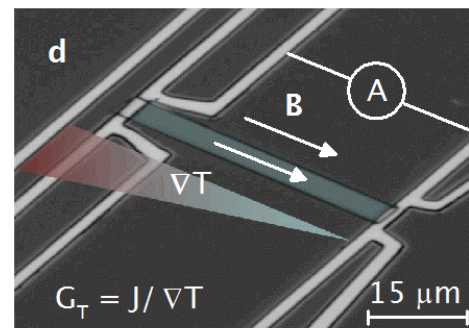
- In solid state physics, mixed axial-gravitational anomaly can be identified by a positive magneto-thermoelectric conductance (PMTG) for  $\Delta T \parallel B$ .

- Low fields: **quadratic**

$$G_T = d_{\text{th}} + c_2 a_\chi a_g B_{\parallel}^2$$

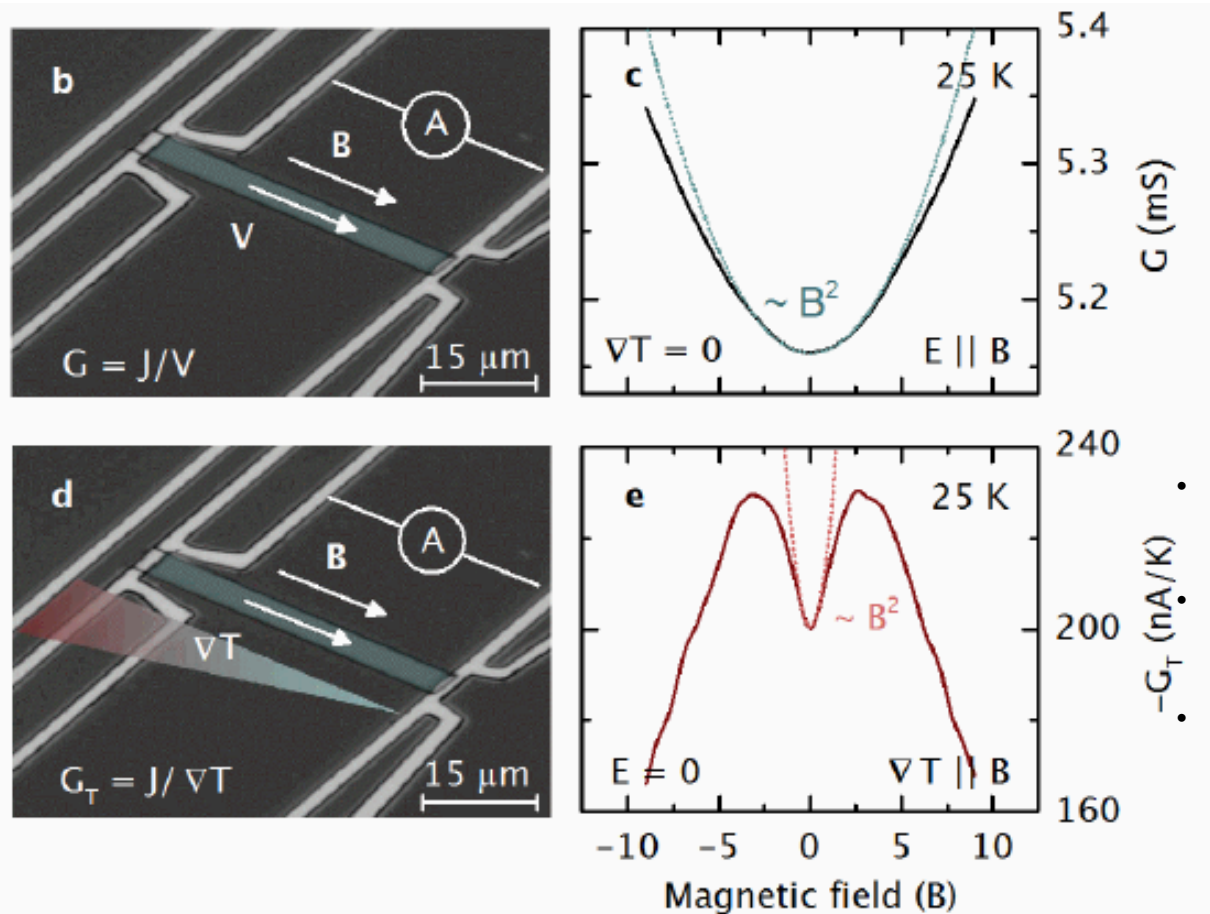
- High fields: **deminishes**

- $\Delta T \parallel B$  dictates sensitivity on alignment of  $B$  and  $\Delta T$ .





# Gravitational Anomaly



- Landsteiner, et al. Gravitational anomaly and transport phenomena. Phys. Rev. Lett. 107, 021601 (2011). URL
- Jensen, et al. Thermodynamics, gravitational anomalies and cones. Journal of High Energy Physics 2013, 88 (2013).
- Lucas, A., Davison, R. A. & Sachdev, S. Hydrodynamic theory of thermoelectric transport and negative magnetoresistance in weyl semimetals. PNAS 113, 9463–9468 (2016).

A positive longitudinal magneto-thermoelectric conductance (PMTC) in the Weyl semimetal NbP for collinear temperature gradients and magnetic fields that vanishes in the ultra quantum limit.



# Topology and Magnetism





# Magnetism and Topology

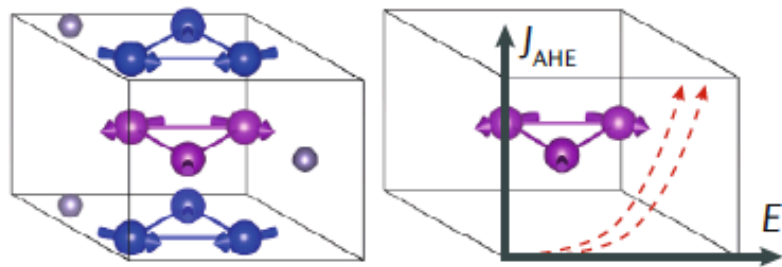
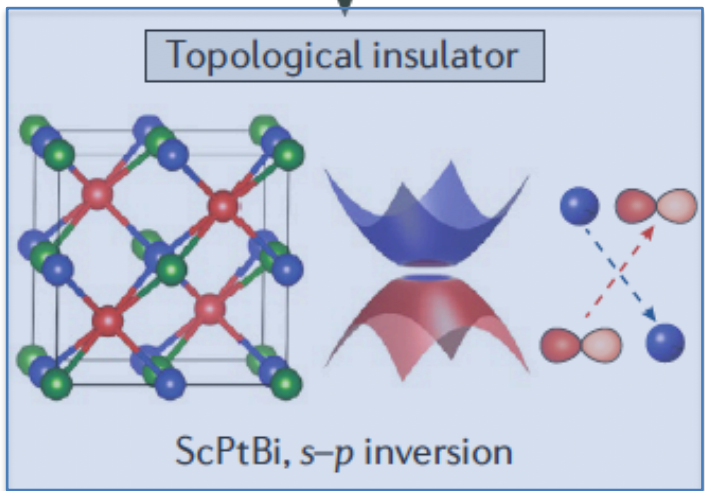
Heusler compounds

Band topology

Non-trivial spin structure

Topological insulator

Anomalous Hall effect

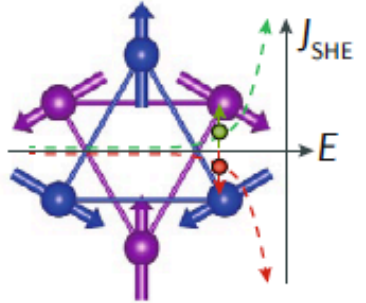
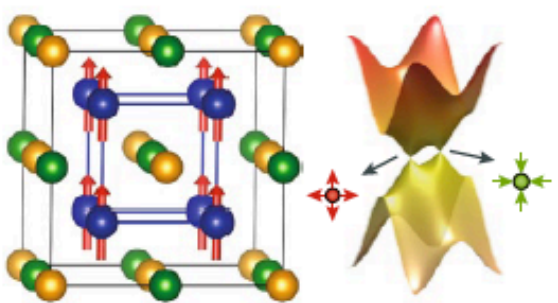


$Mn_3Ge, Sn$

Magnetic Weyl semimetal

Spin Hall effect

Antiskyrmion



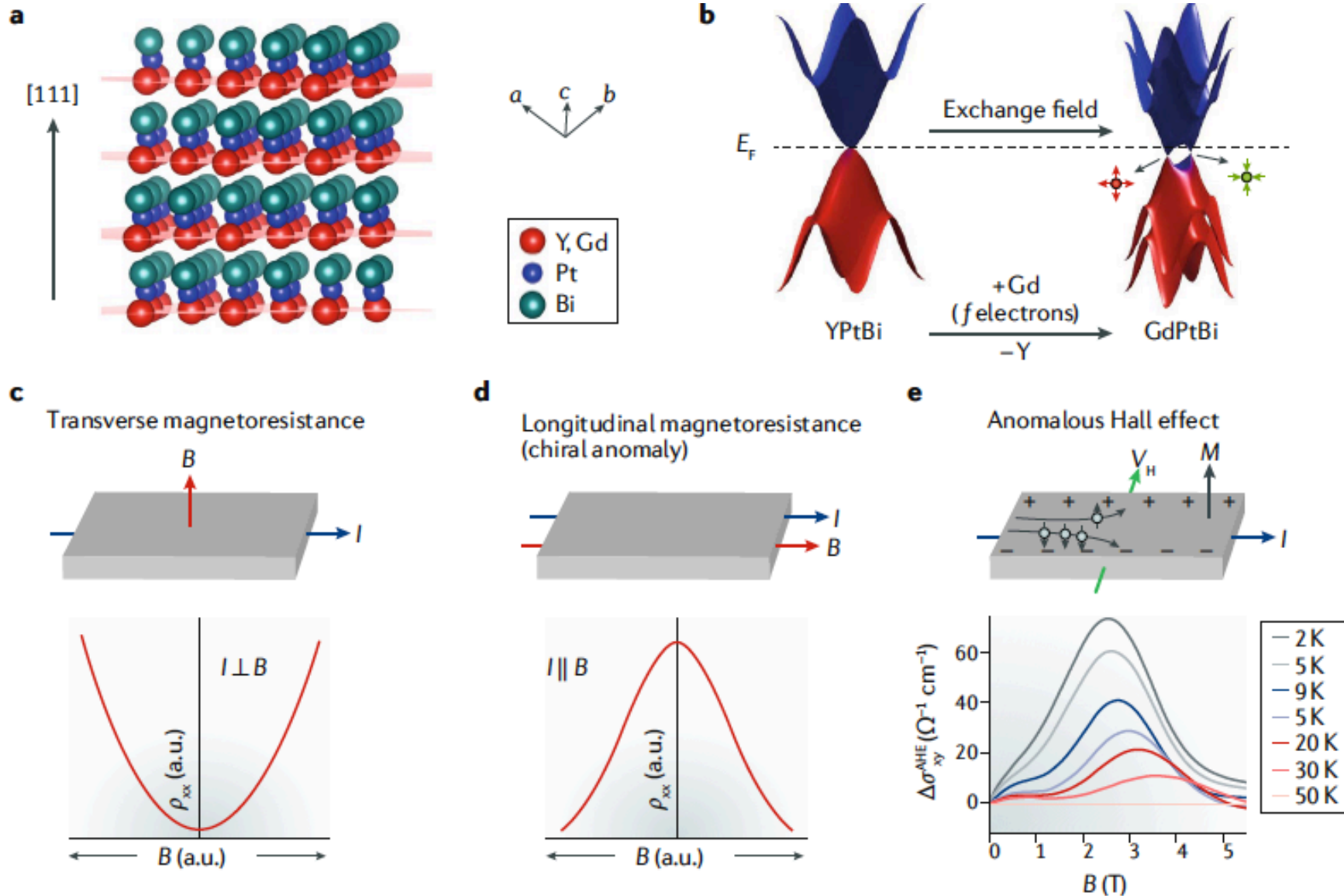
$Mn_3Ge, Sn$



$Mn-Pt-Sn$

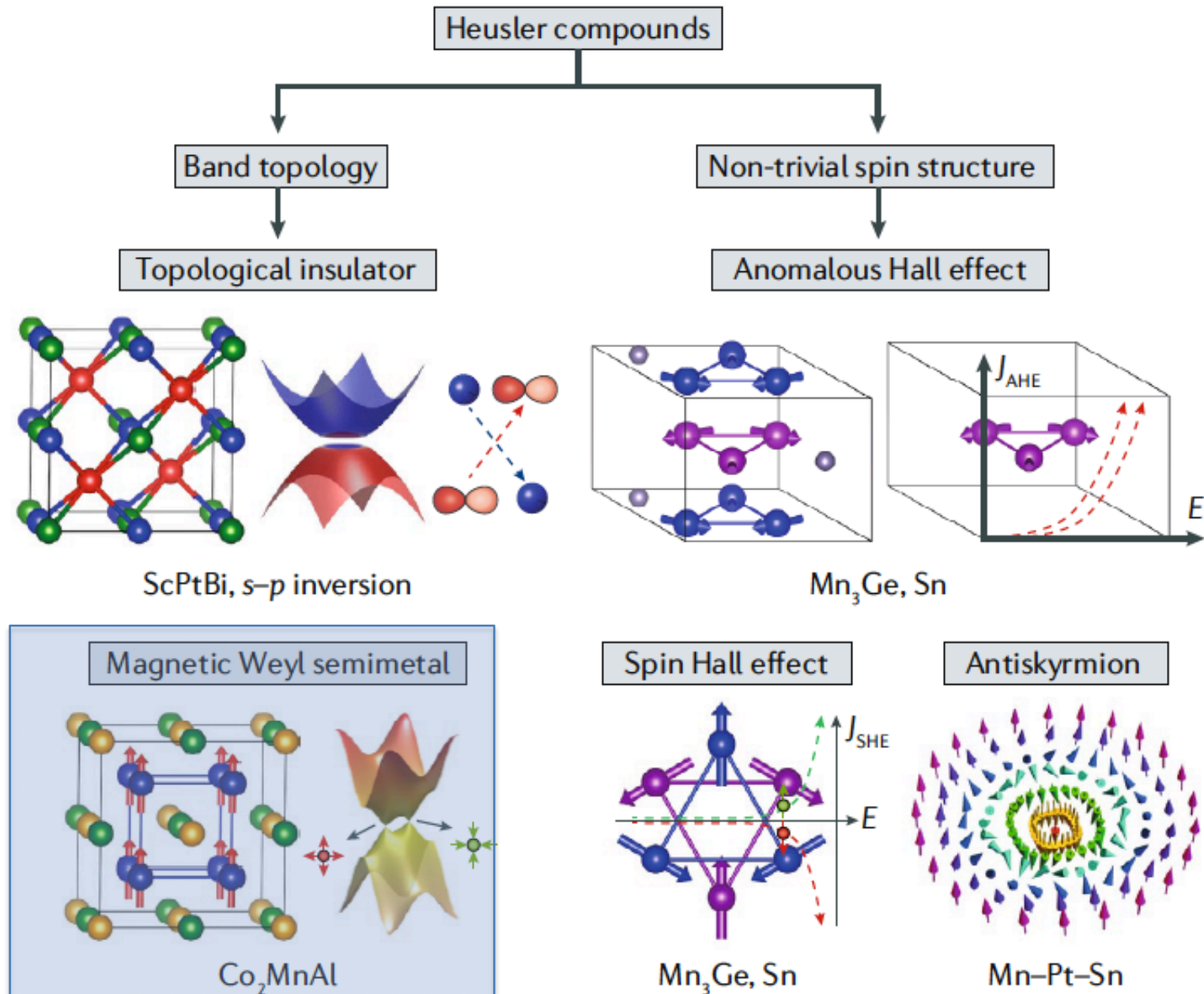


# GdPtBi – an ideal Weyl



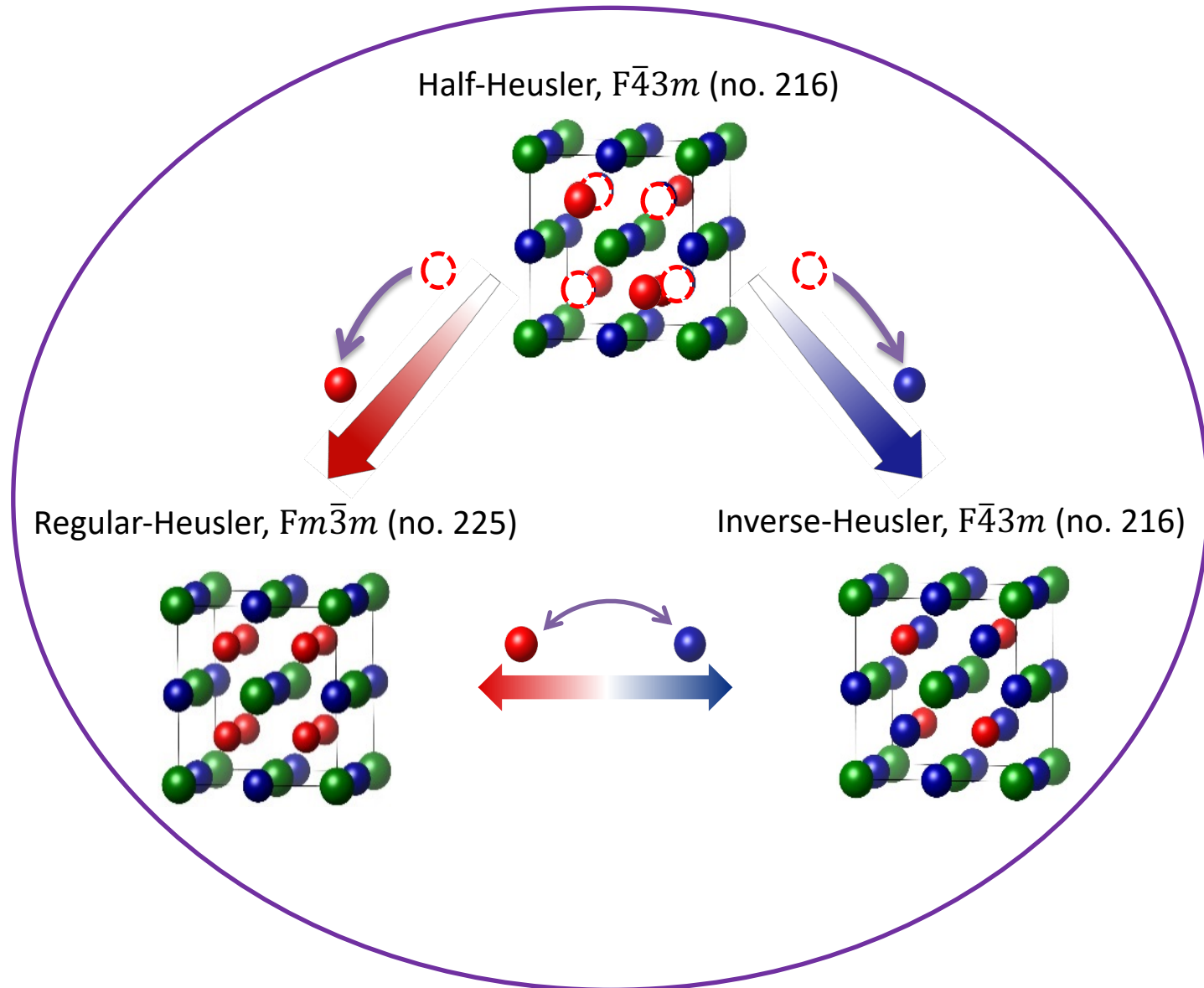


# Magnetism and Topology





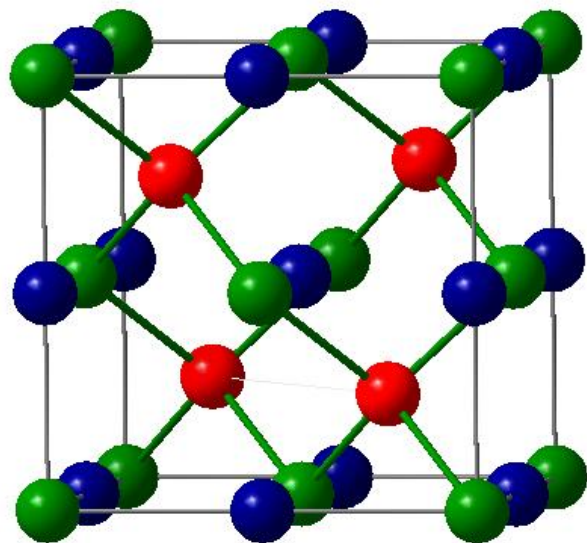
# Tuning the symmetry







# Ternary Semiconductors ...



Ga

As

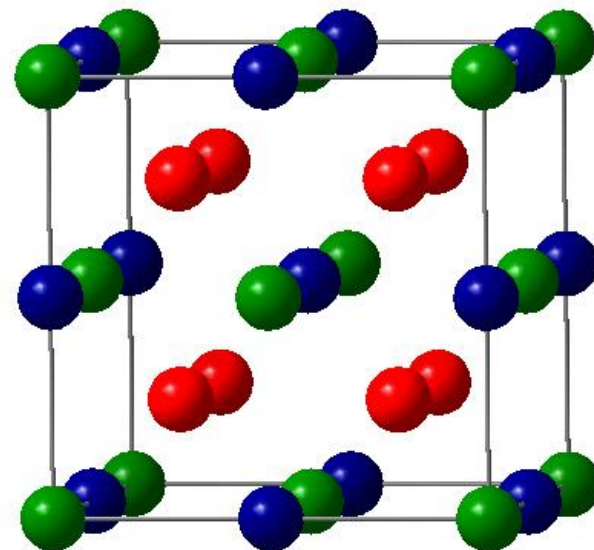
$$13 + 5 = 18$$

La

Pt

Bi

$$3 + 10 + 5 = 18$$



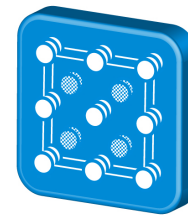
Fe<sub>2</sub>

V

Al

$$2 \cdot 8 + 5 + 3 = 24$$

additional  $t_2$ -levels





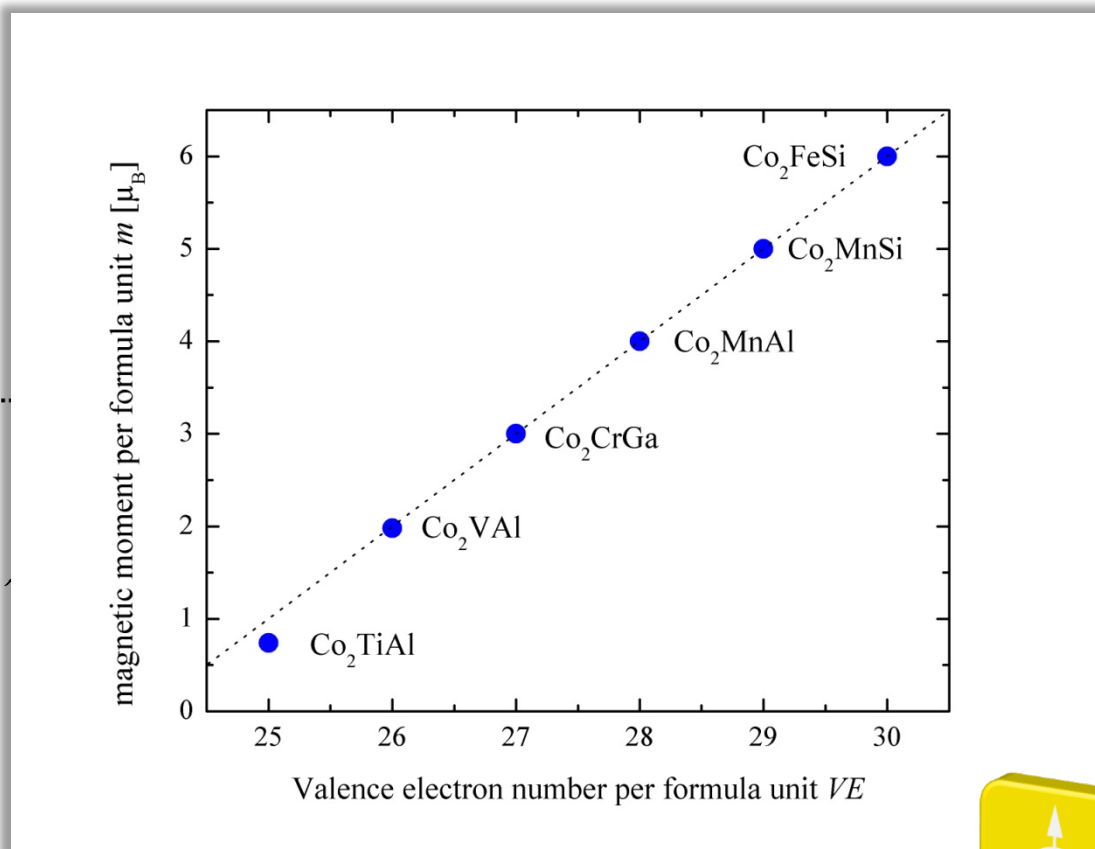
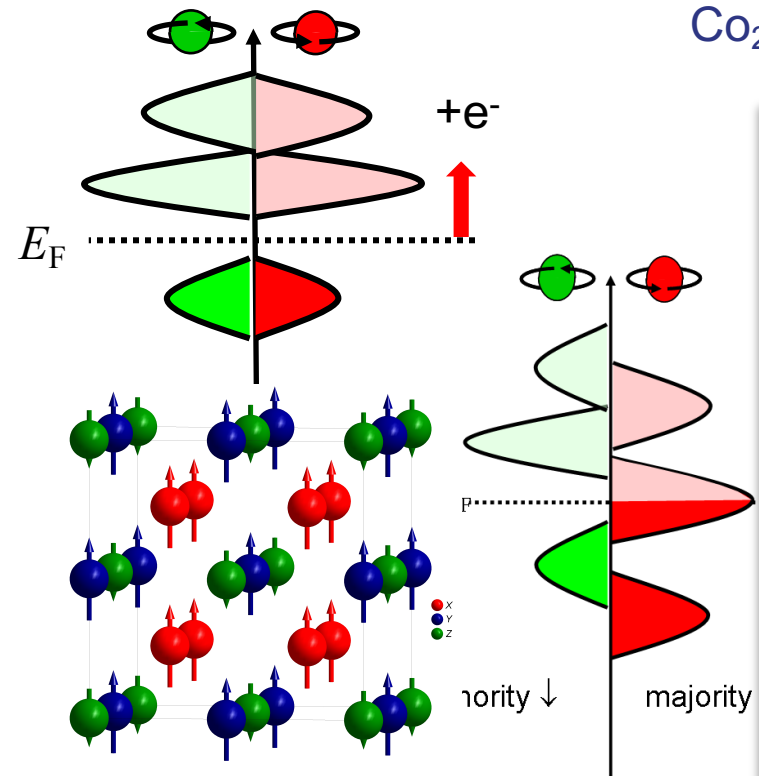
# Materials: ... to half metallic ferromagnets



Example:  $\text{Co}_2\text{MnSi}$

- magic valence electron number: 24
- valence electrons = 24 + magnetic moments

$$\text{Co}_2\text{MnSi}: 2 \times 9 + 7 + 4 = 29 \quad M_s = 5\mu_B$$

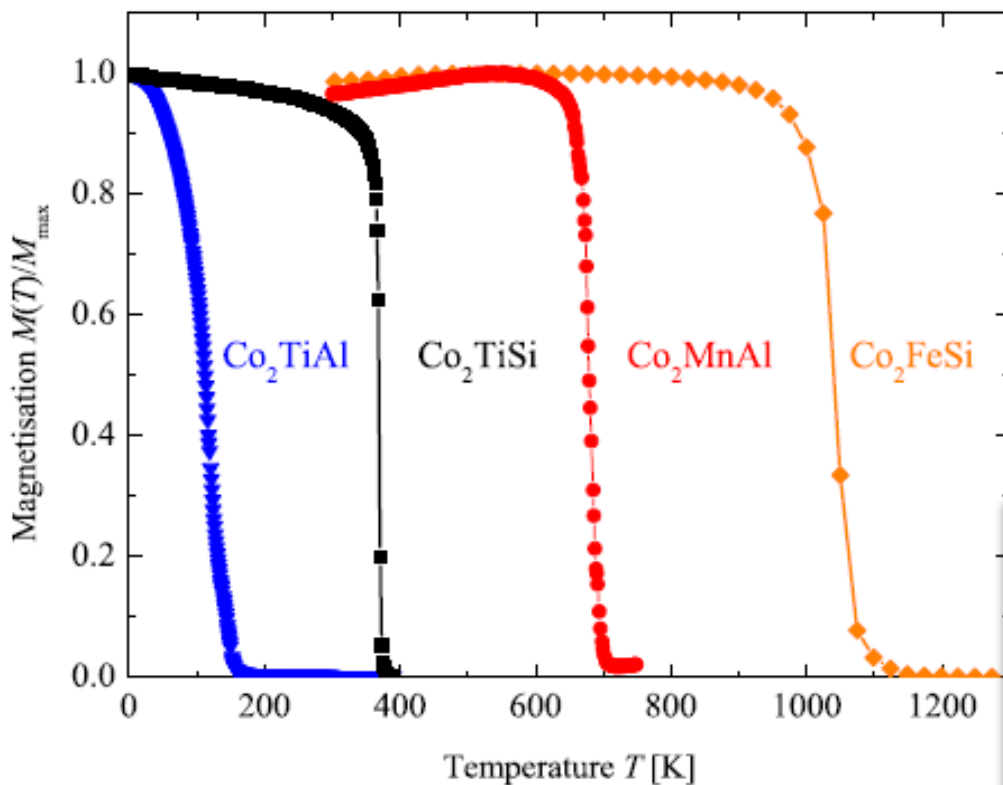


Kübler *et al.*, PRB **28**, 1745 (1983)  
 de Groot RA, *et al.* PRL **50** 2024 (1983)  
 Galanakis *et al.*, PRB **66**, 012406 (2002)

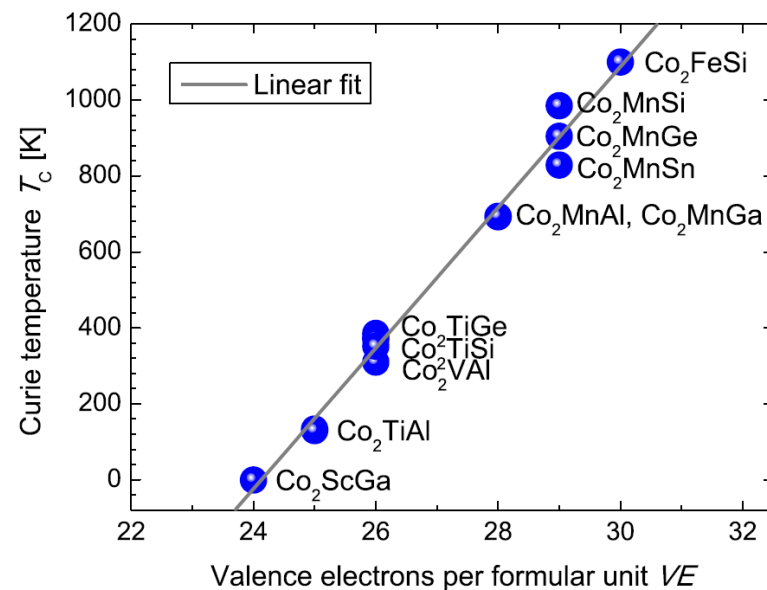




# Tunability $\text{Co}_2\text{YZ}$



VE	$m_B/\text{formula}$	$T_c$ [K]
24	0	0
25	1	~175
26	2	~350
27	3	~520
28	4	~700
29	5	~970
30	6	~1120



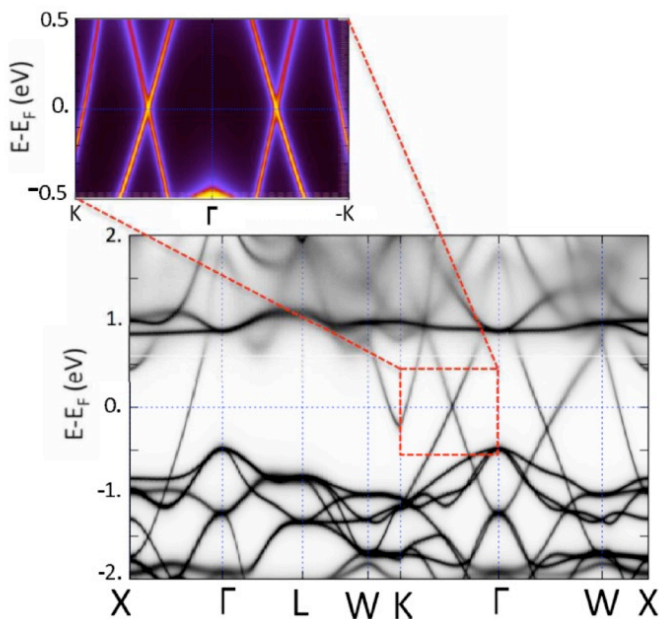
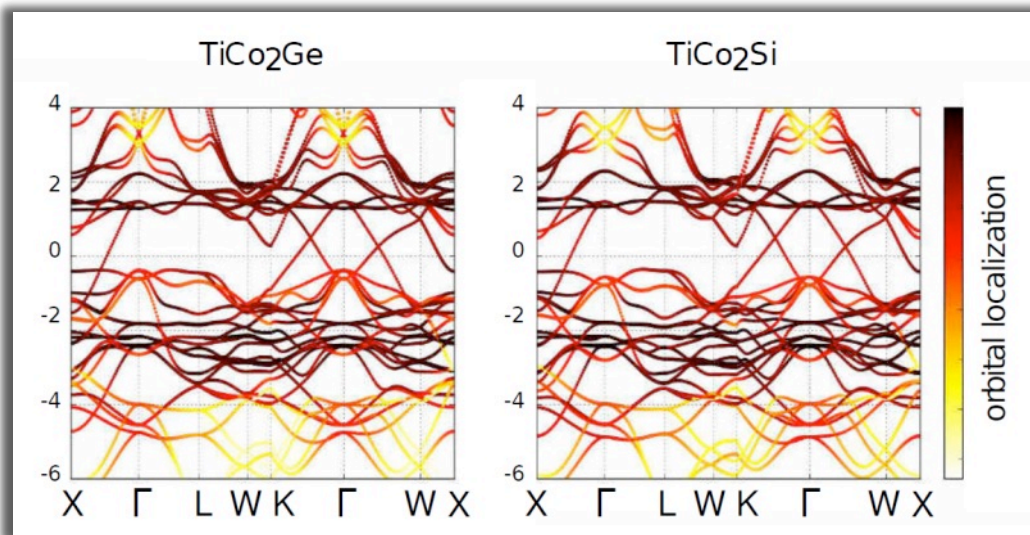
Kandpal et al., J. Phys. D **40** (2007) 1507.

Balke et al. Solid State Com. **150** (2010) 529

Kübler et al., Phys. Rev. B **76** (2007) 024414



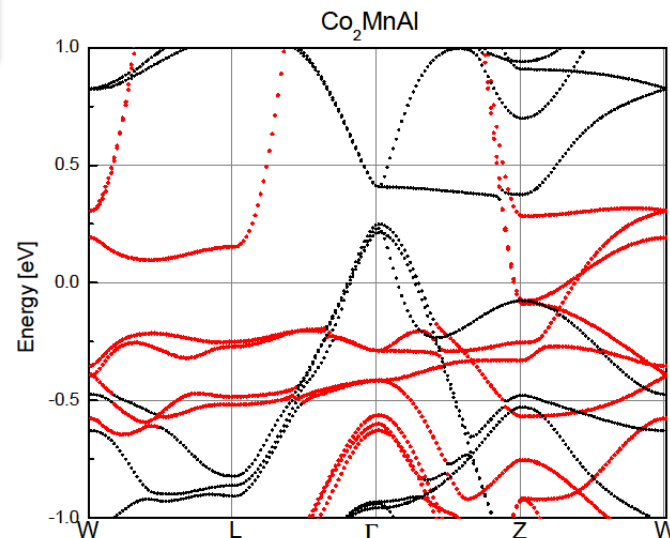
# Weyl semimetals in Heusler compounds



Giant AHE in  $\text{Co}_2\text{MnAl}$

$$\sigma_{xy} = 1800 \text{ S/cm calc.}$$

$$\sigma_{xy} \approx 2000 \text{ S/cm meas.}$$







# AHE in half metallic ferromagnets

PHYSICAL REVIEW B 85, 012405 (2012)



## Berry curvature and the anomalous Hall effect in Heusler compounds

Jürgen Kübler<sup>1,\*</sup> and Claudia Felser<sup>2</sup>

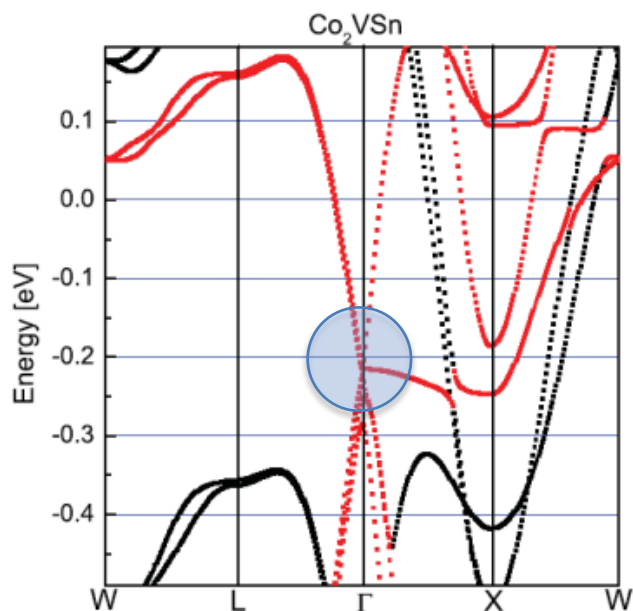
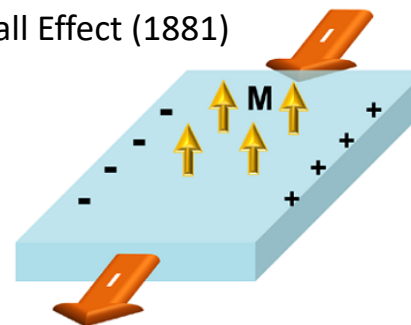


FIG. 4. (Color online) Band structure near the Fermi edge of  $\text{Co}_2\text{VSn}$ . Majority-spin electron states appear in red, minority-spin states in black. Note the Dirac cone at the  $\Gamma$  point at about  $-0.22$  eV.

Compound <sup>a</sup>	$N_V$	$a$ (nm)	$M^{\text{exp}}$	$M^{\text{calc}}$	$\sigma_{xy}$	$P$ (%)
$\text{Co}_2\text{VGa}$	26	0.5779	1.92	1.953	66	65
$\text{Co}_2\text{CrAl}$	27	0.5727	1.7	2.998	438	100
$\text{Co}_2\text{VSn}$	27	0.5960	1.21	1.778	-1489	35
$\text{Co}_2\text{MnAl}$	28	0.5749	4.04	4.045	1800	75
$\text{Rh}_2\text{MnAl}$	28	0.6022		4.066	1500	94
$\text{Mn}_2\text{PtSn}^b$	28	0.4509 (1.3477)		6.66	1108	91
$\text{Co}_2\text{MnSn}$	29	0.5984	5.08	5.00	118	82
$\text{Co}_2\text{MnSi}$	29	0.5645	4.90	4.98	228	100

Anomalous Hall Effect (1881)



No M dependence – Berry curvature

Kübler, Felser, PRB 85 (2012) 012405

$$\rho_{xy}^M = (\alpha\rho_{xx} + \beta\rho_{xx}^2)M$$

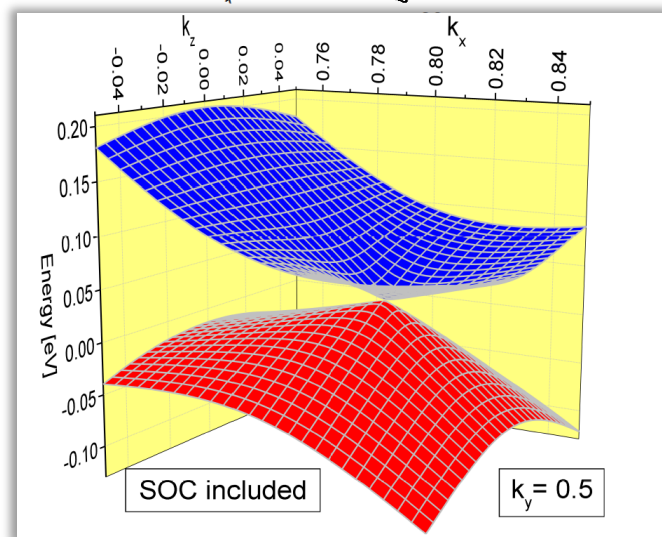
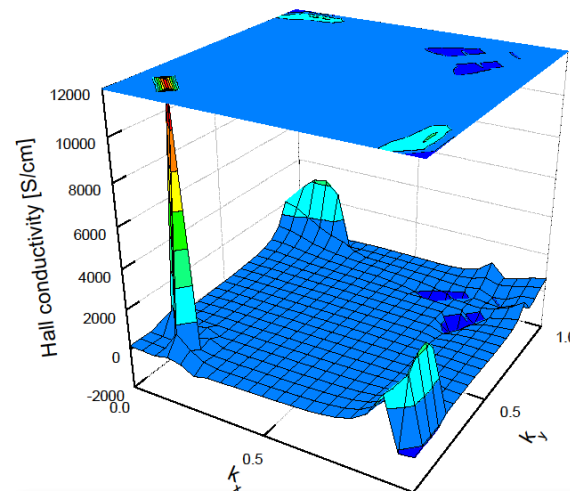
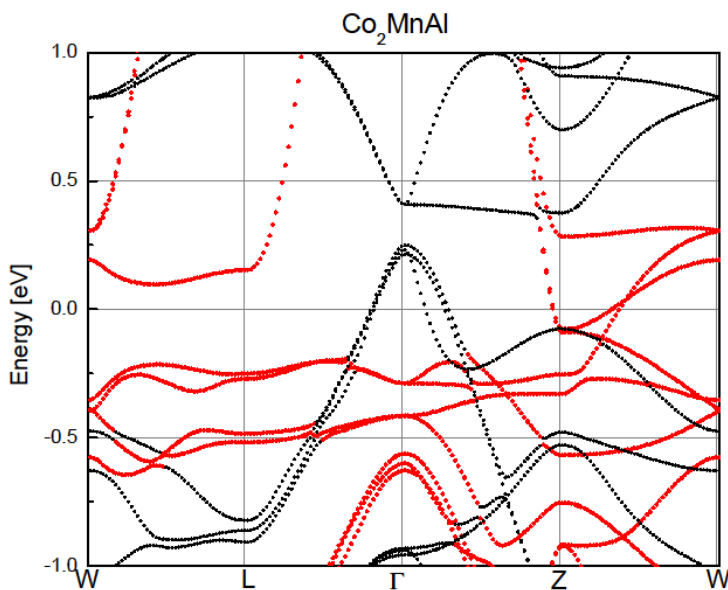


# AHE in half metallic ferromagnets

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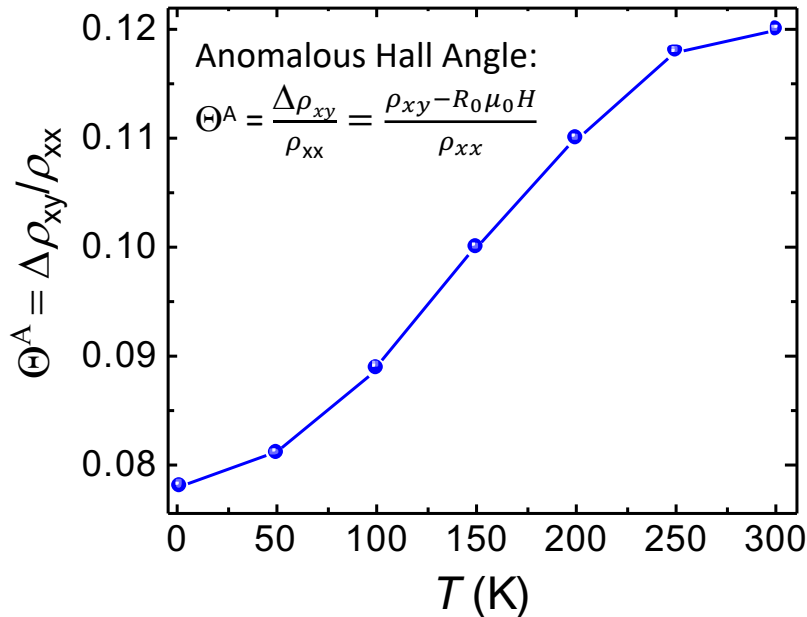
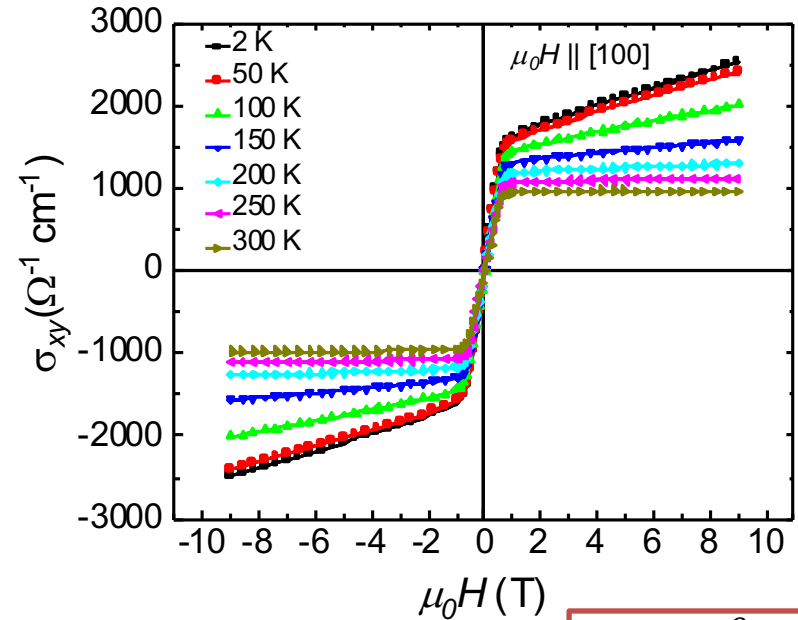
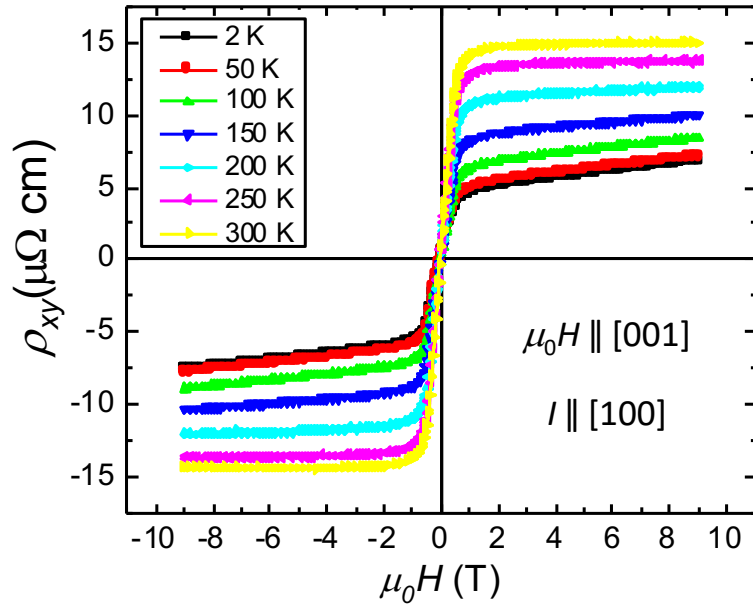
Weyl points are the origin for a large Berry phase and a Giant AHE

Kübler, Felser, PRB 85 (2012) 012405

Vidal et al. APL 99 (2011) 132509

Kübler, Felser, EPL 114 (2016) 47005.

# Co<sub>2</sub>MnGa Hall Measurement

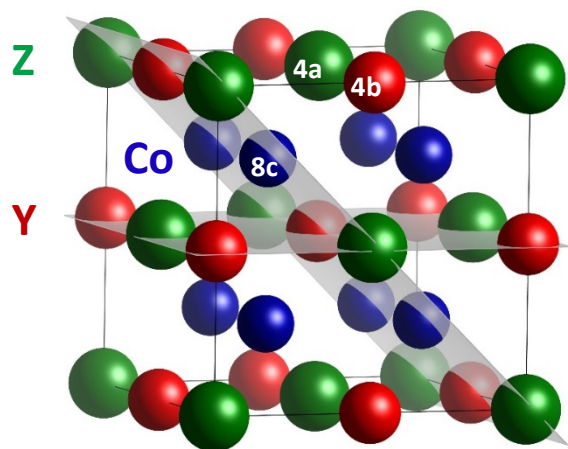


$$\sigma_{xy} = \frac{\rho_{yx}}{\rho_{xx}^2 + \rho_{xy}^2}$$

- Anomalous Hall conductivity:  
 $|\sigma_{xy}|_{\text{max}} \sim 1590 \Omega^{-1} \text{ cm}^{-1}$  at 2 K.
- Carrier concentration (2 K):  $2.3 \times 10^{21} \text{ cm}^{-3}$
- Anomalous Hall Angle upto 12% at RT

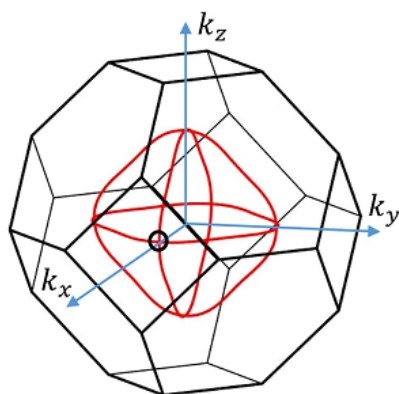
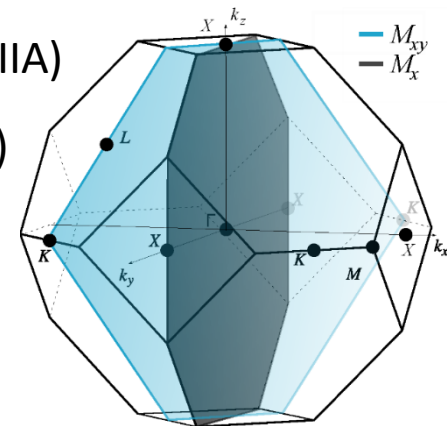
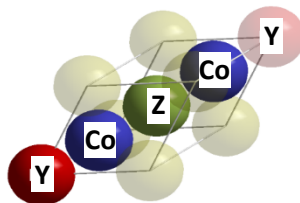


# Weyl Fermion in Regular Heusler

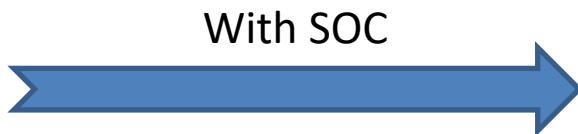


$\text{Co}_2\text{YZ}$  (Y = IVB or VB; Z = IVA or IIIA)

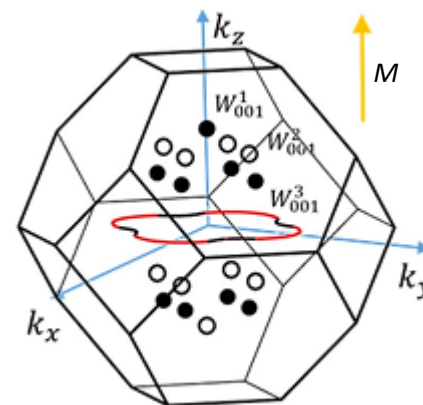
$L2_1$  space group 225 ( $\text{Fm}\bar{3}\text{m}$ )



Without SOC

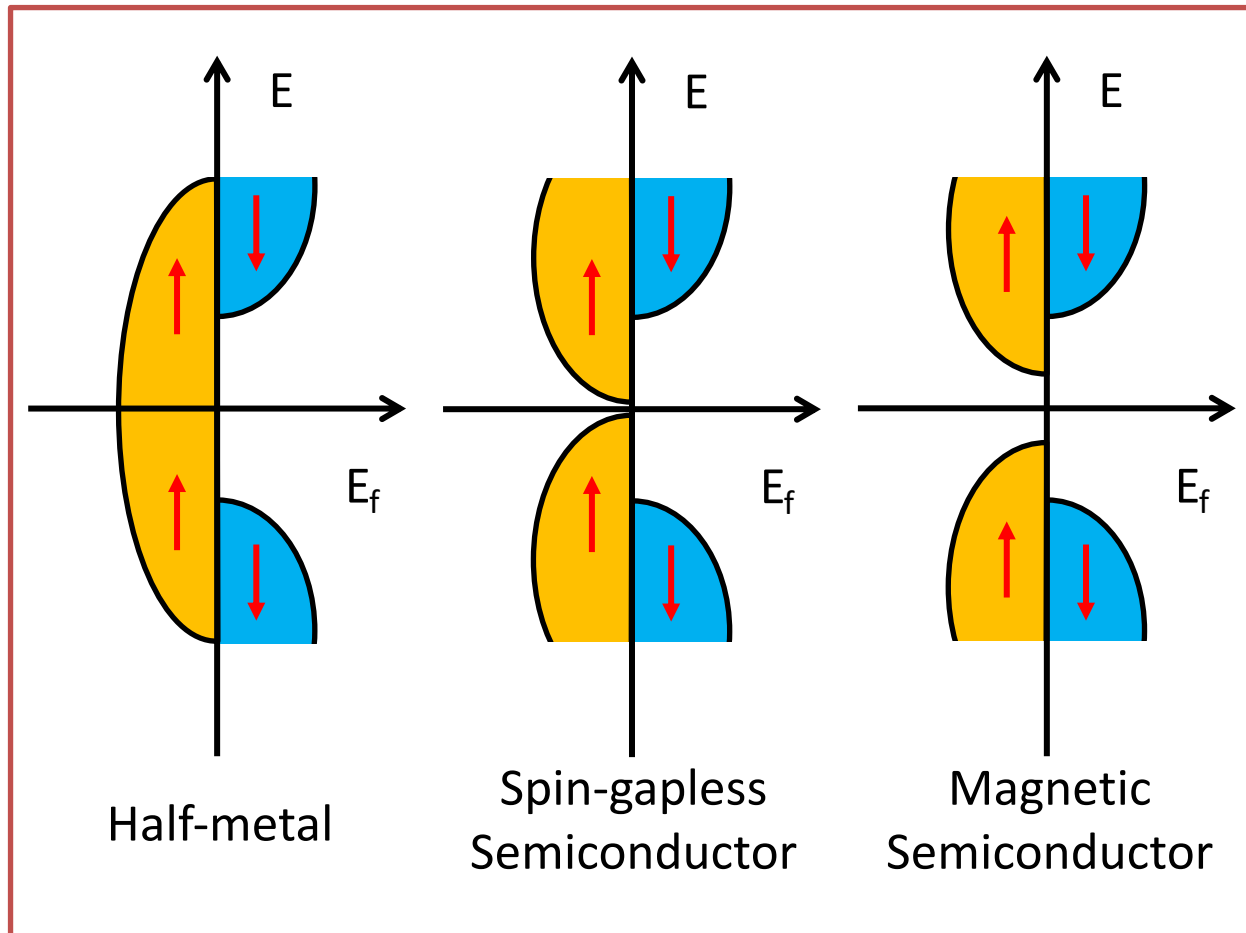


Symmetry and electronic structures depend on the magnetization direction



Phys. Rev. Lett. 117, 236401 (2016)  
Sci. Rep. 6, 38839 (2016)

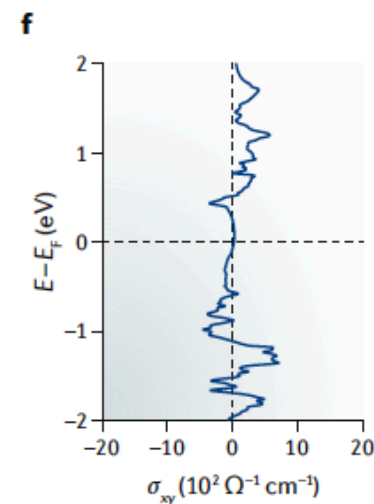
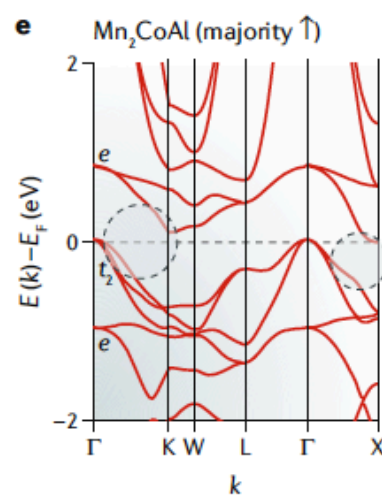
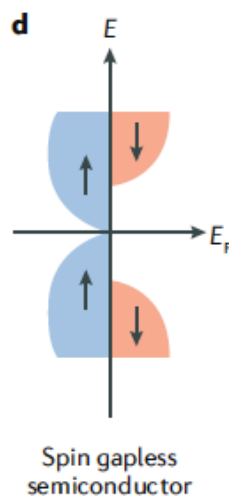
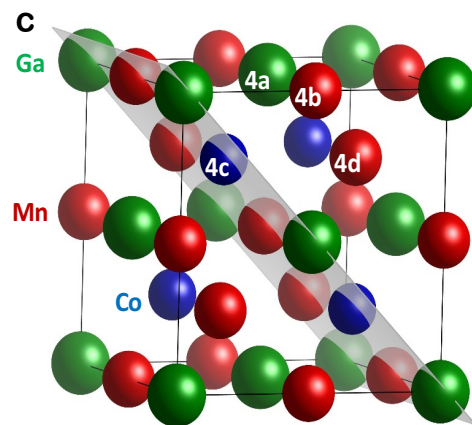
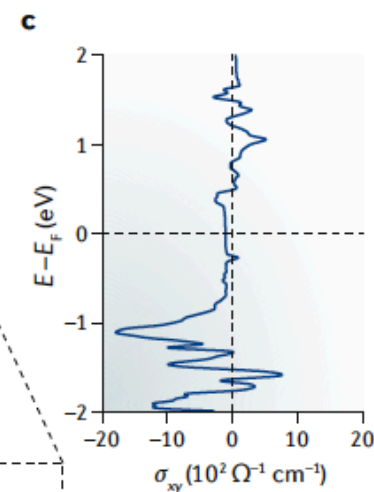
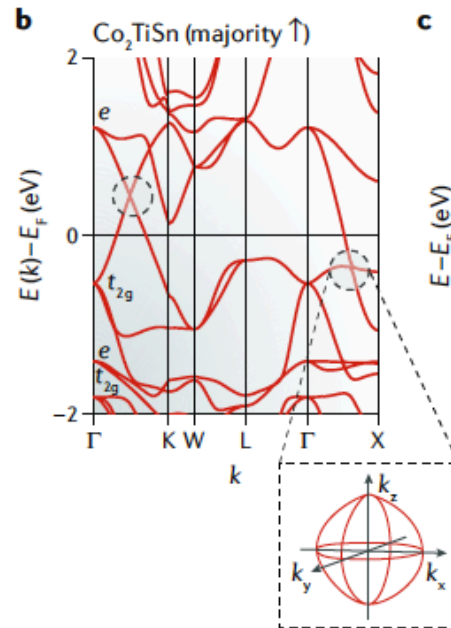
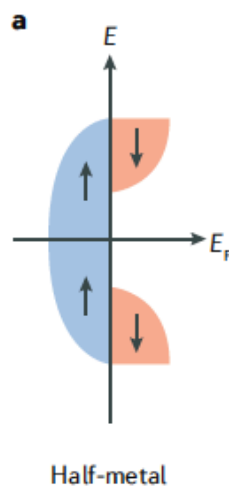
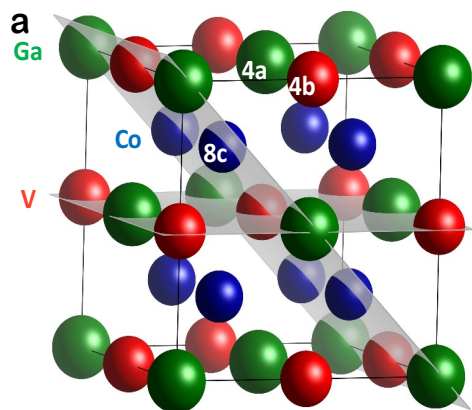
- nodal line is formed in the plane when bands of opposite mirror eigenvalues cross.
- Mirror planes are related to each other by the rotations







# Spingapless semiconductors and Weyl semimetals



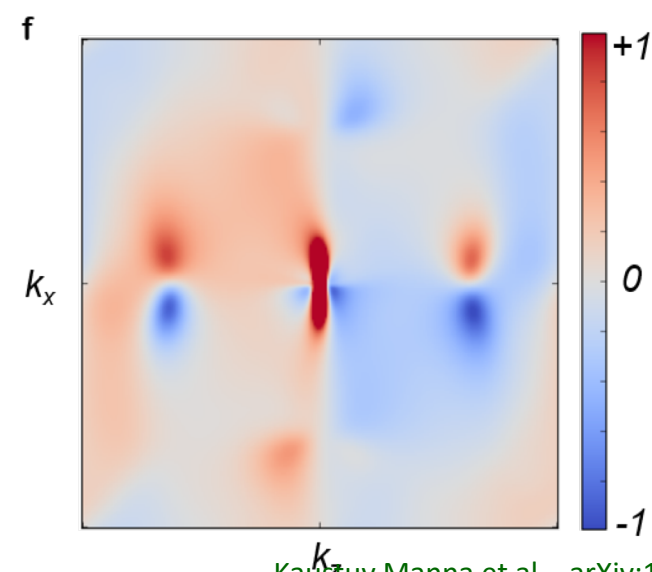
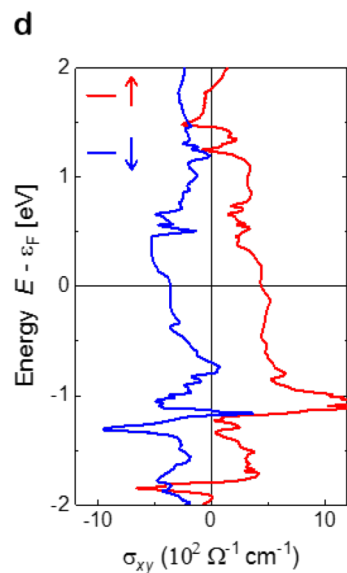
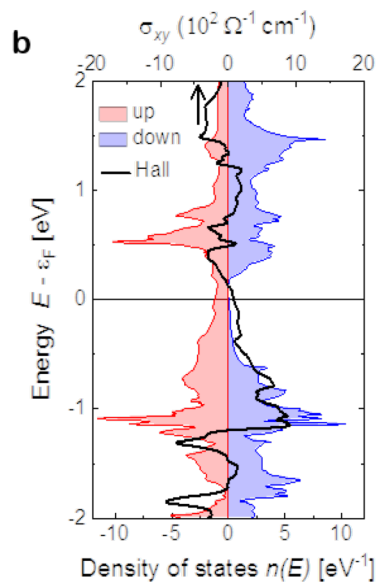
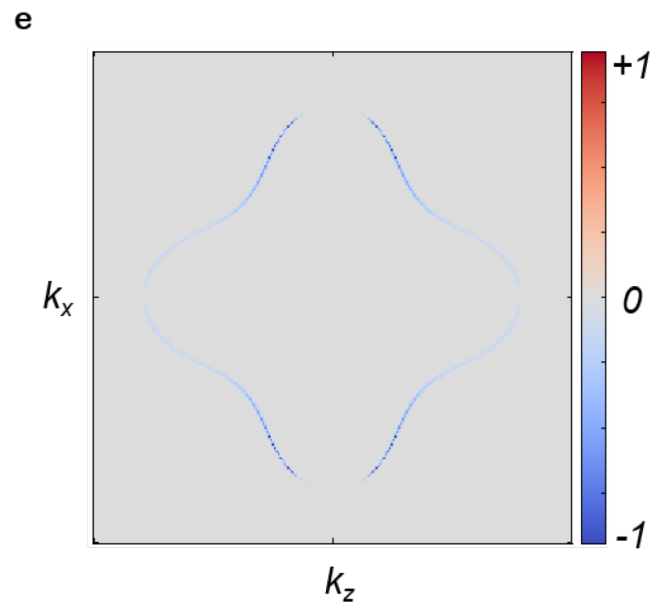
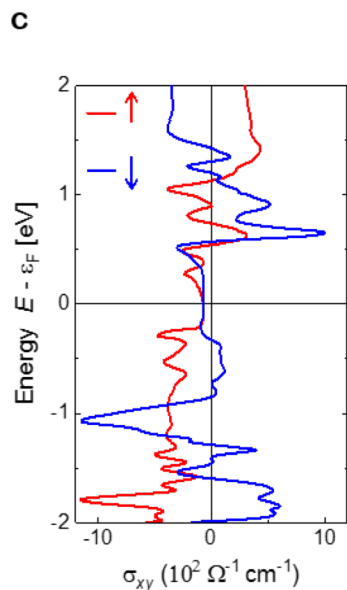
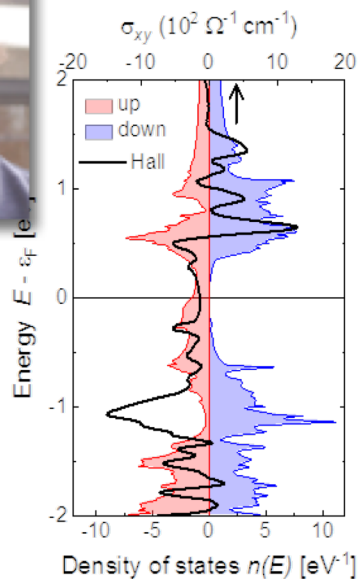
S. Ouardi, G. H. Fecher, J. Kübler, and C. Felser, Physical Review Letter 110 (2013) 100401

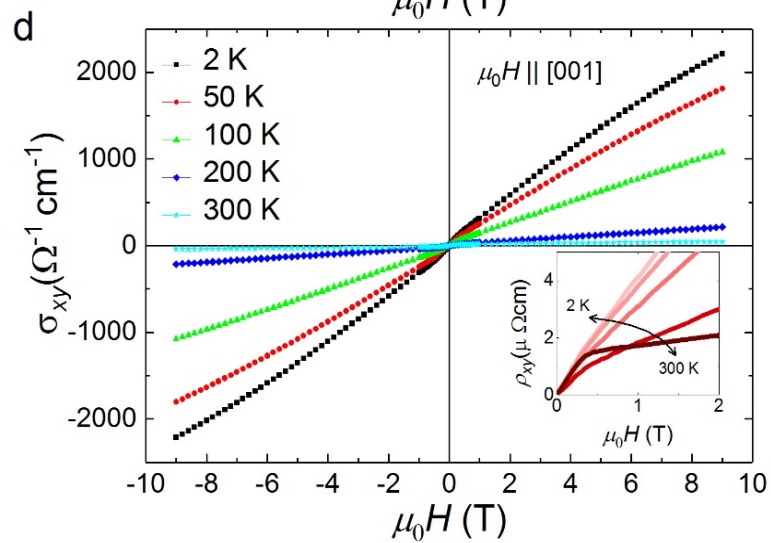
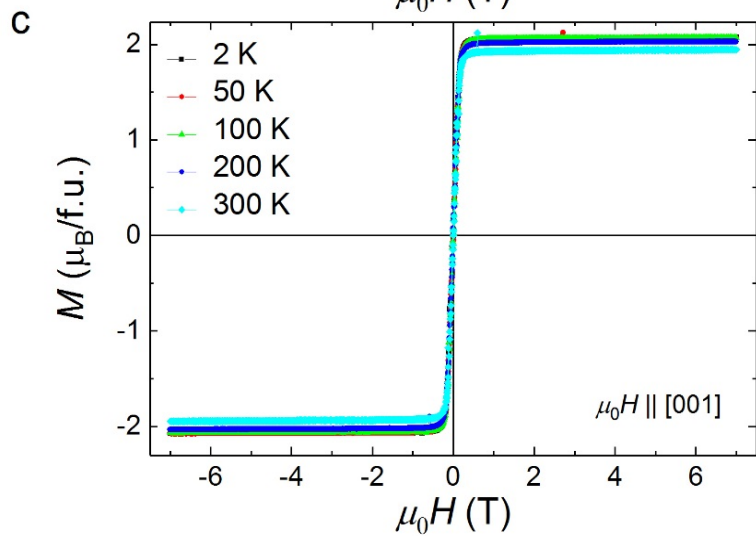
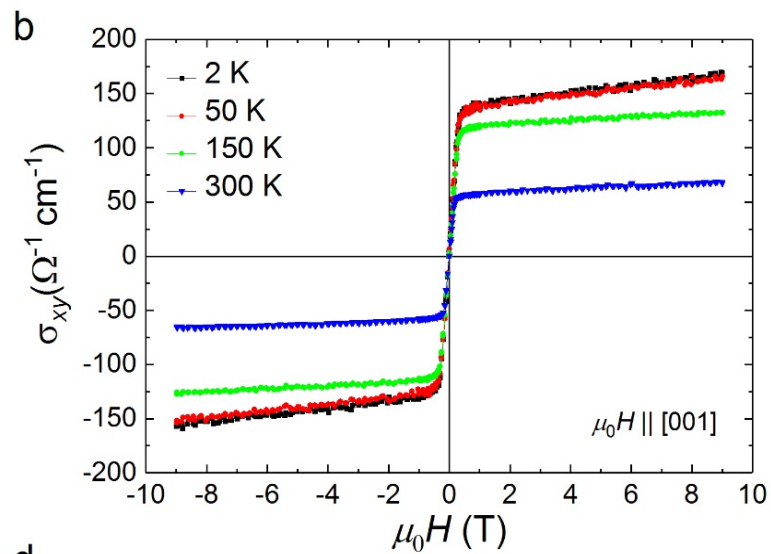
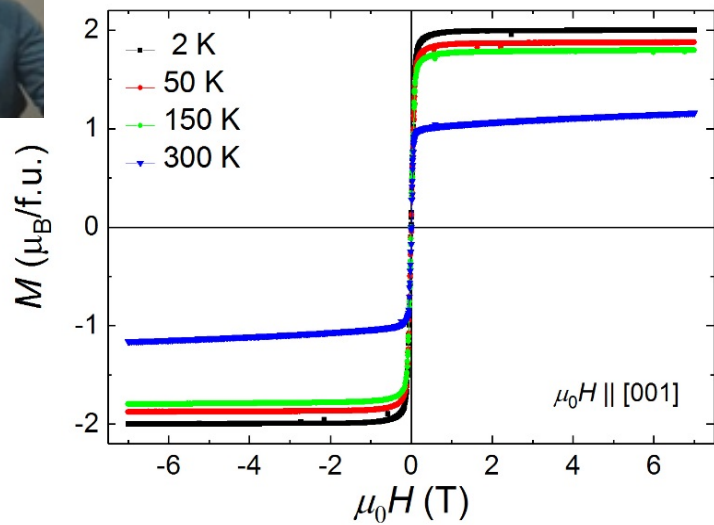
K. Manna et al., arXiv:1712.10174

K. Manna et al., Nature Materials Review, in press, arXiv:1802.02838v1



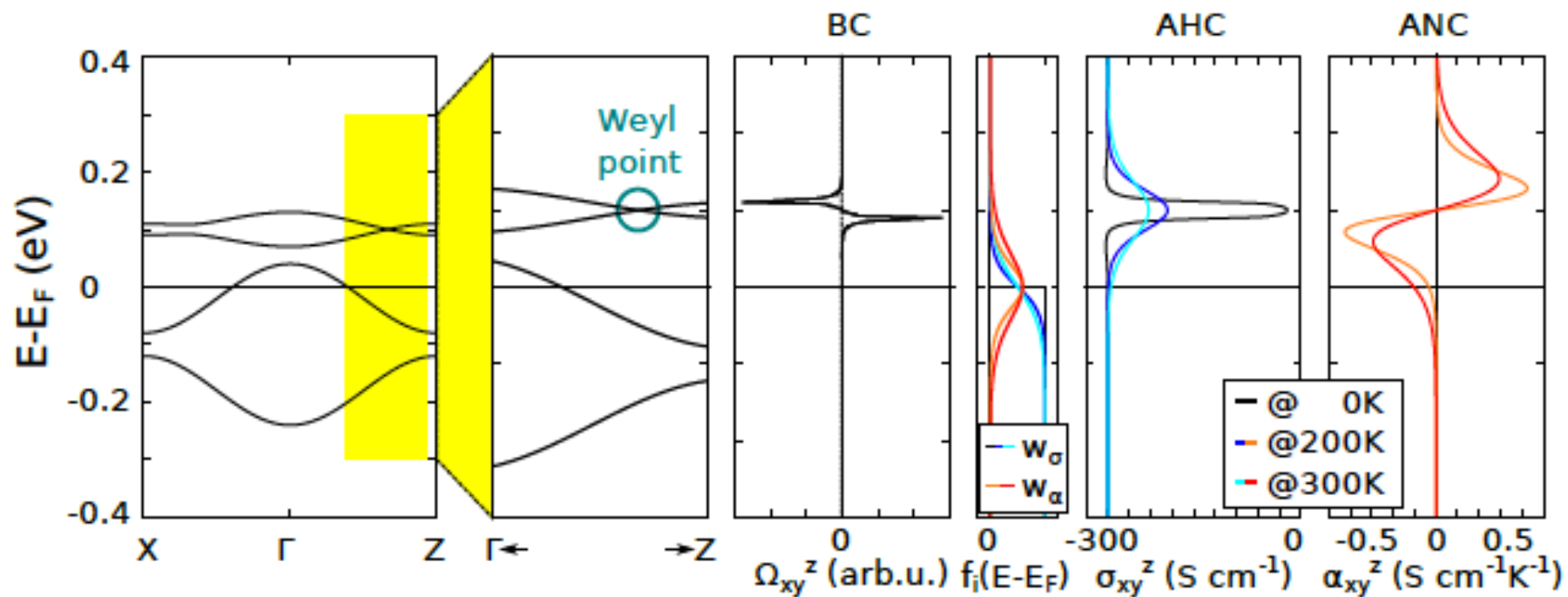
# Berry Curvature





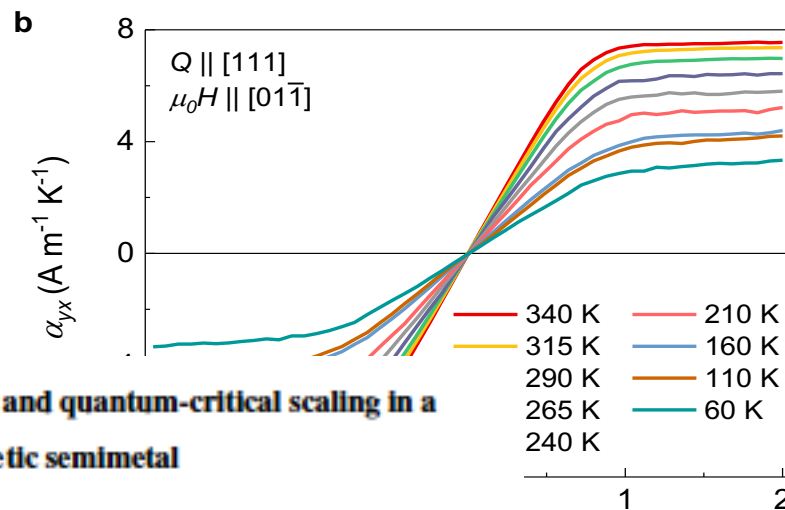
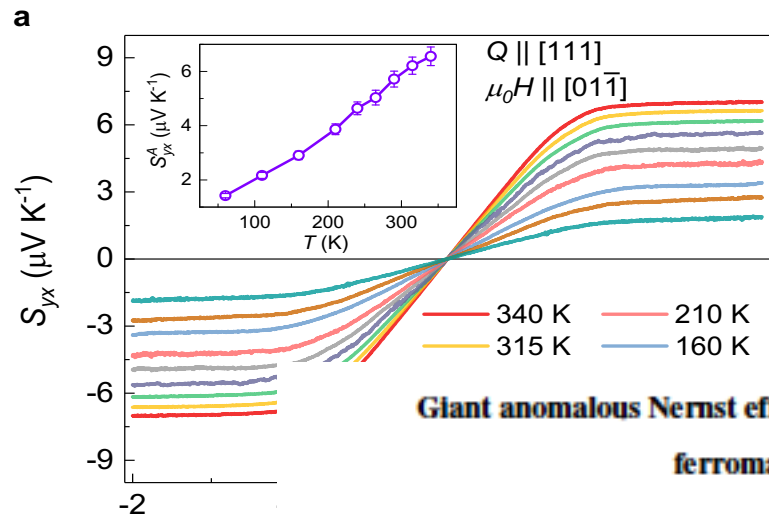


# Co<sub>2</sub>MnGa Anomalous Nernst





# Co<sub>2</sub>MnGa Anomalous Nernst

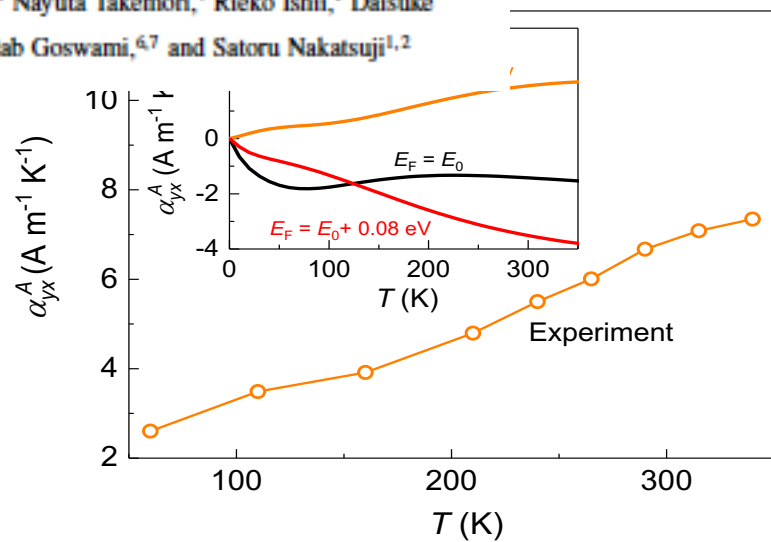
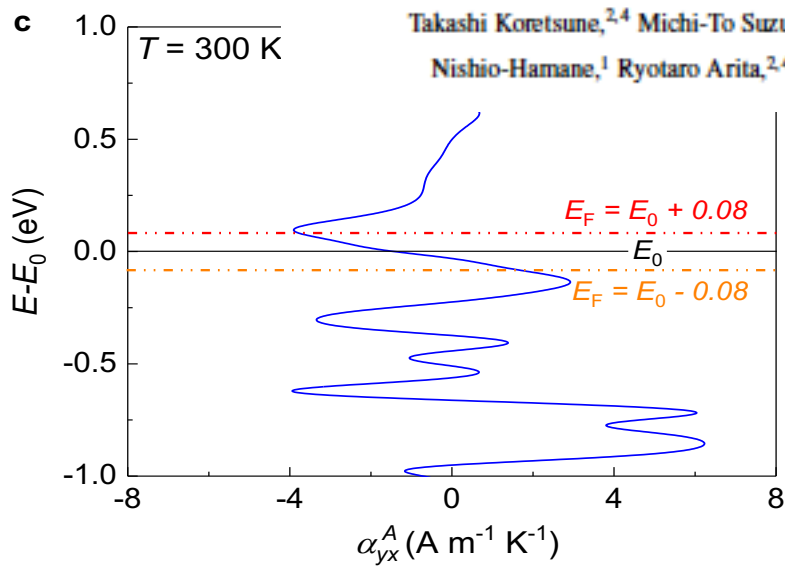


**Giant anomalous Nernst effect and quantum-critical scaling in a ferromagnetic semimetal**

Akito Sakai,<sup>1,2</sup> Yo Pierre Mizuta,<sup>3,4</sup> Agustinus Agung Nugroho,<sup>2,5</sup> Rombang Sihombing,<sup>5</sup>

Takashi Koretsune,<sup>2,4</sup> Michi-To Suzuki,<sup>2,4</sup> Nayuta Takemori,<sup>4</sup> Rieko Ishii,<sup>1</sup> Daisuke

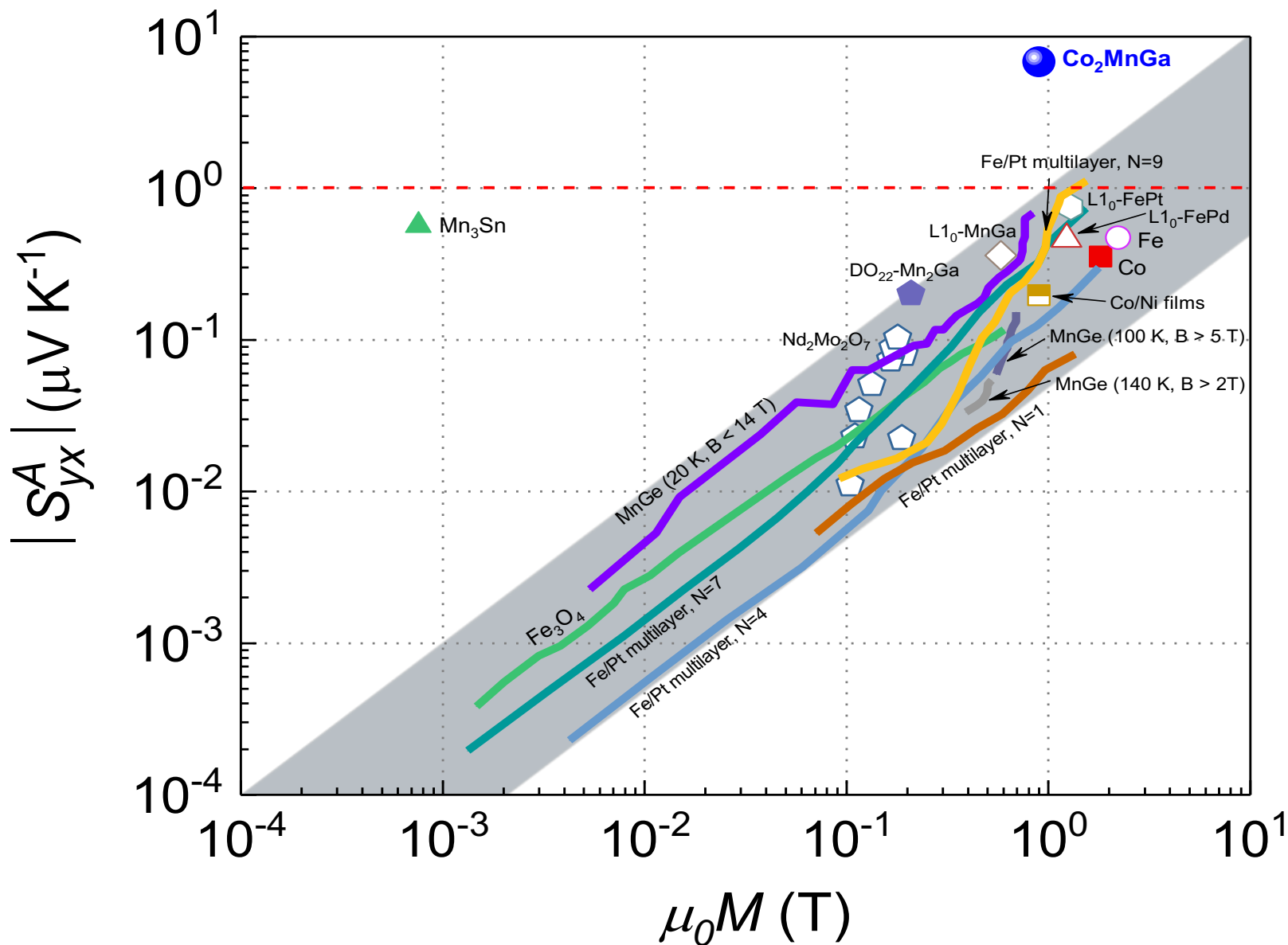
Nishio-Hamane,<sup>1</sup> Ryotaro Arita,<sup>2,4</sup> Pallab Goswami,<sup>6,7</sup> and Satoru Nakatsuji<sup>1,2</sup>







# Co<sub>2</sub>MnGa Anomalous Nernst

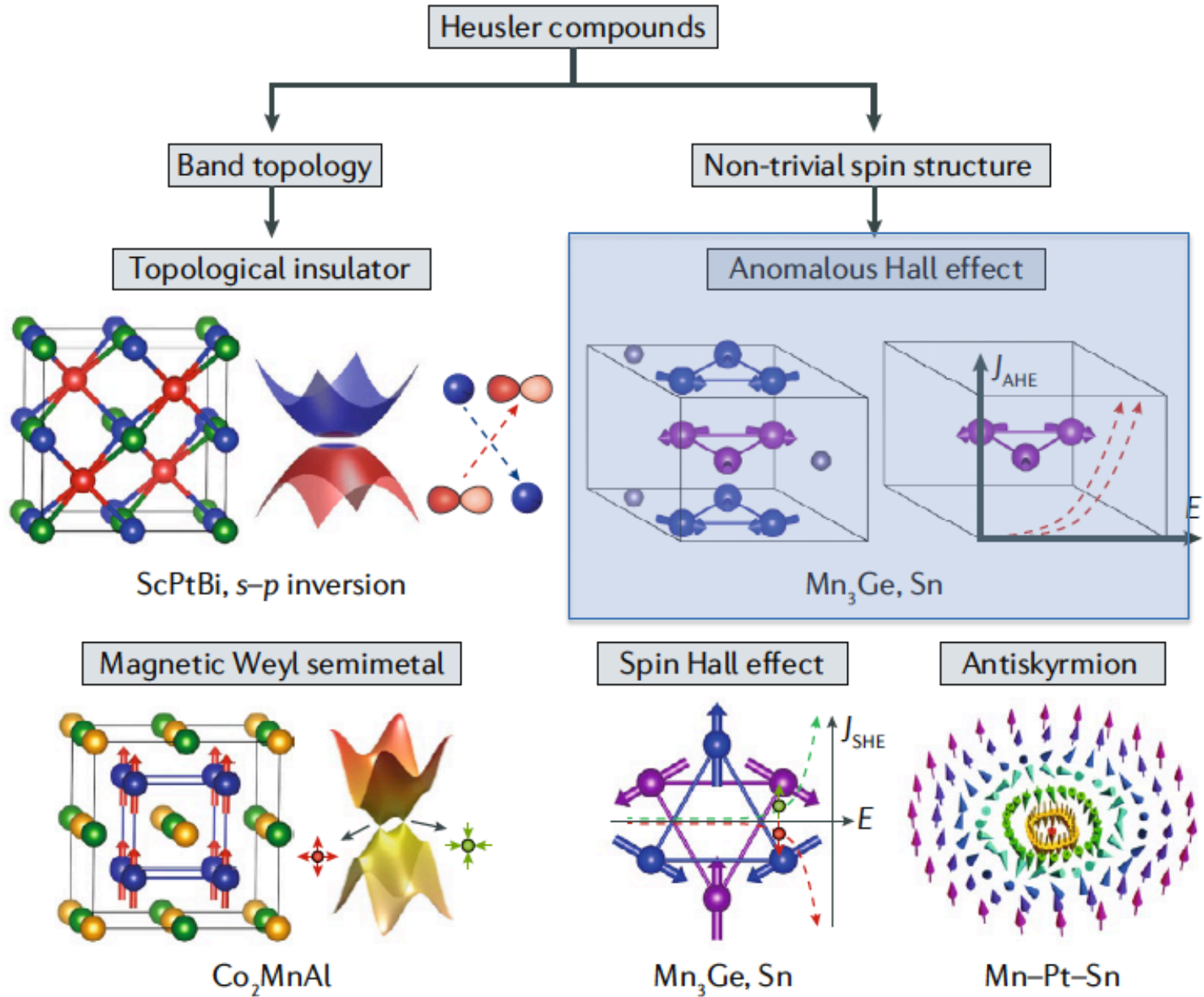


Satya N. Guin, arXiv:1806.06753

Jonathan Noky et al., submitted

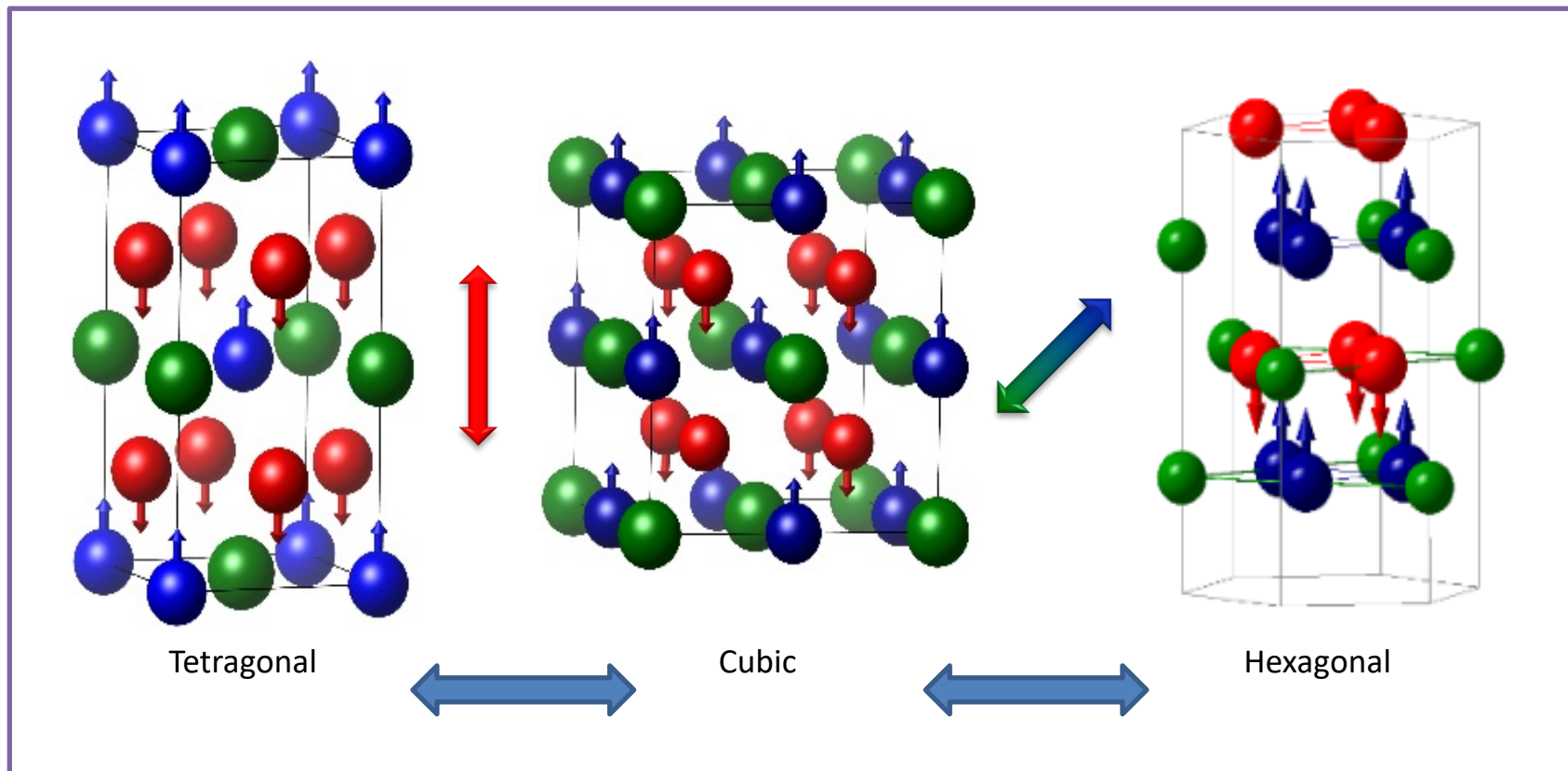


# Magnetism and Topology





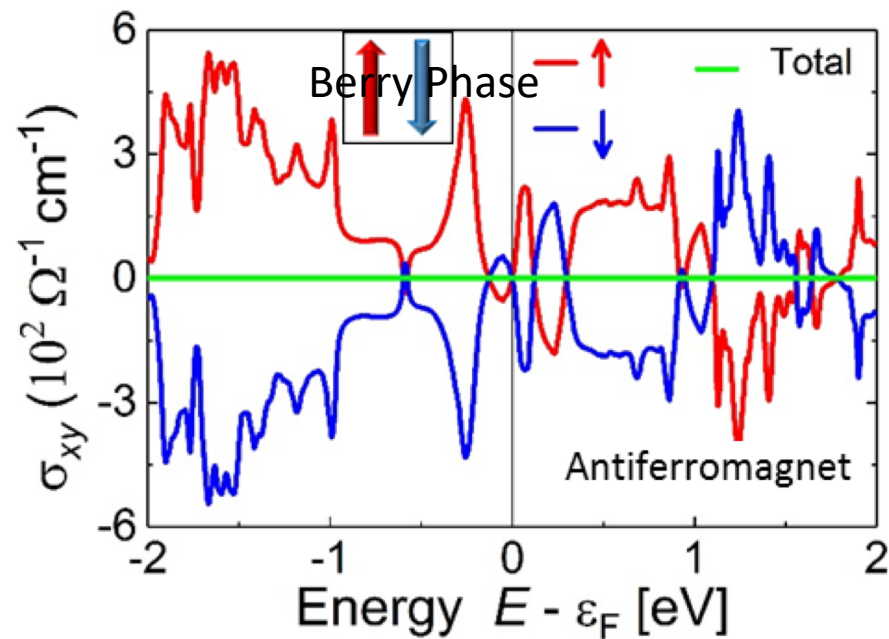
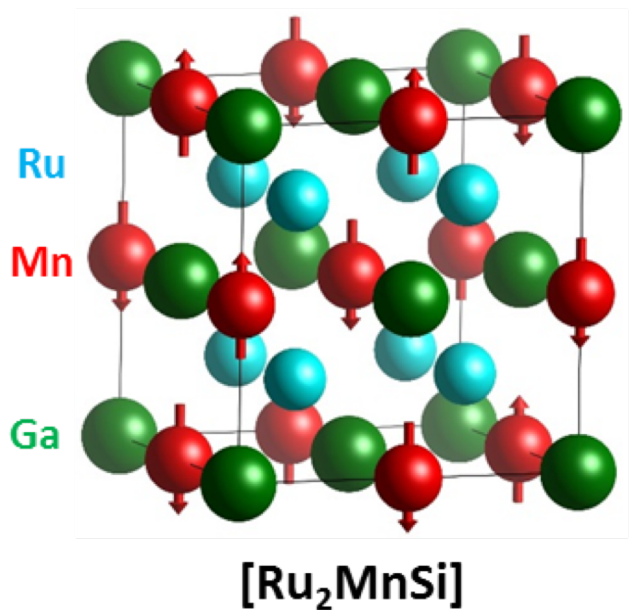
# Tuning the crystal anisotropy



$\text{Mn}_3\text{Ga}$   $\text{Mn}_3\text{Ge}$   $\text{Mn}_3\text{Sn}$



# No AHE in Antiferromagnets



$$\rho_H = R_0 B + 4\pi R_s M$$

No ! – No Berry phase



# Hexagonal Antiferromagnet



**epl** A LETTERS JOURNAL EXPLORING  
THE FRONTIERS OF PHYSICS

EPL, 108 (2014) 67001  
doi: 10.1209/0295-5075/108/67001

December 2014

www.epljournal.org

## Non-collinear antiferromagnets and the anomalous Hall effect

J. KÜBLER<sup>1</sup> and C. FELSER<sup>2</sup>

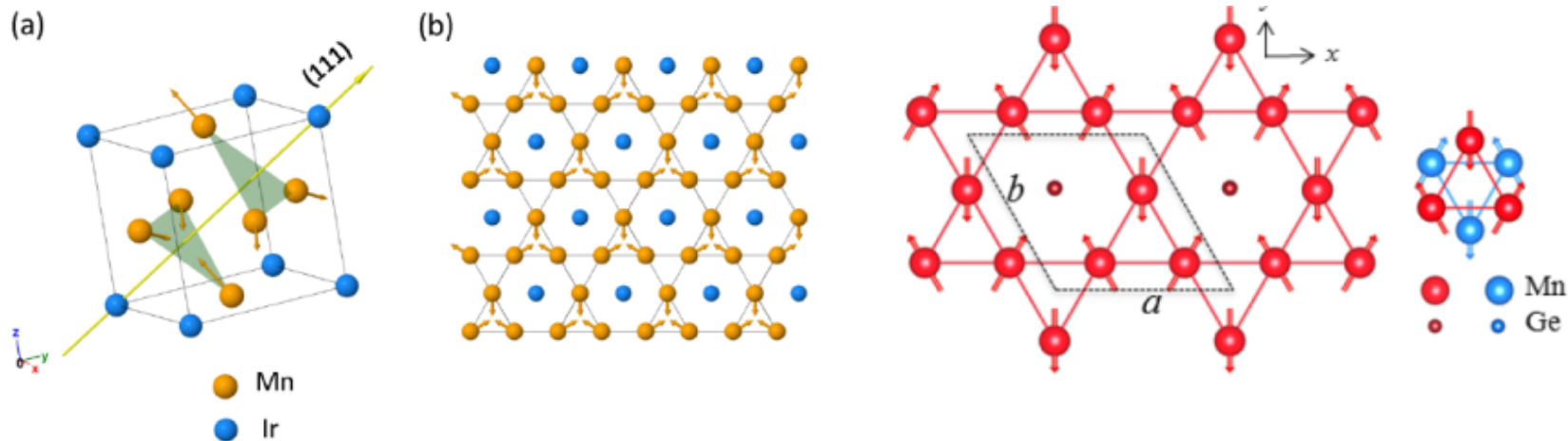
PRL 112, 017205 (2014)

PHYSICAL REVIEW LETTERS

week ending  
10 JANUARY 2014

### Anomalous Hall Effect Arising from Noncollinear Antiferromagnetism

Hua Chen, Qian Niu, and A. H. MacDonald







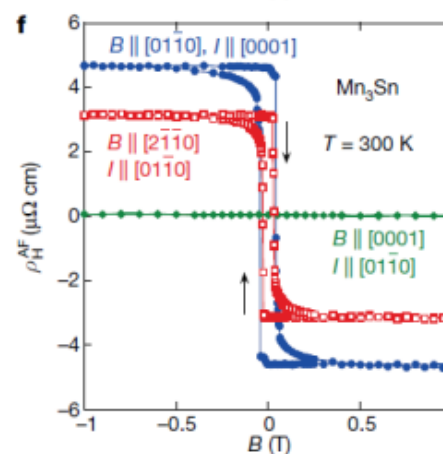
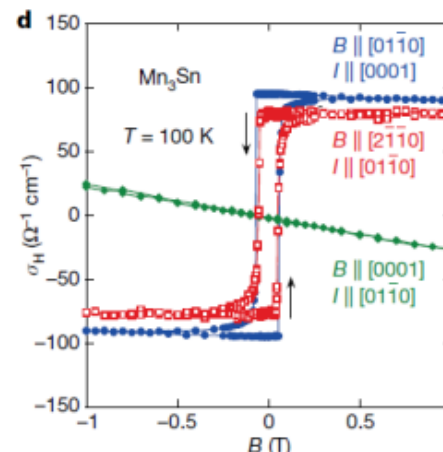
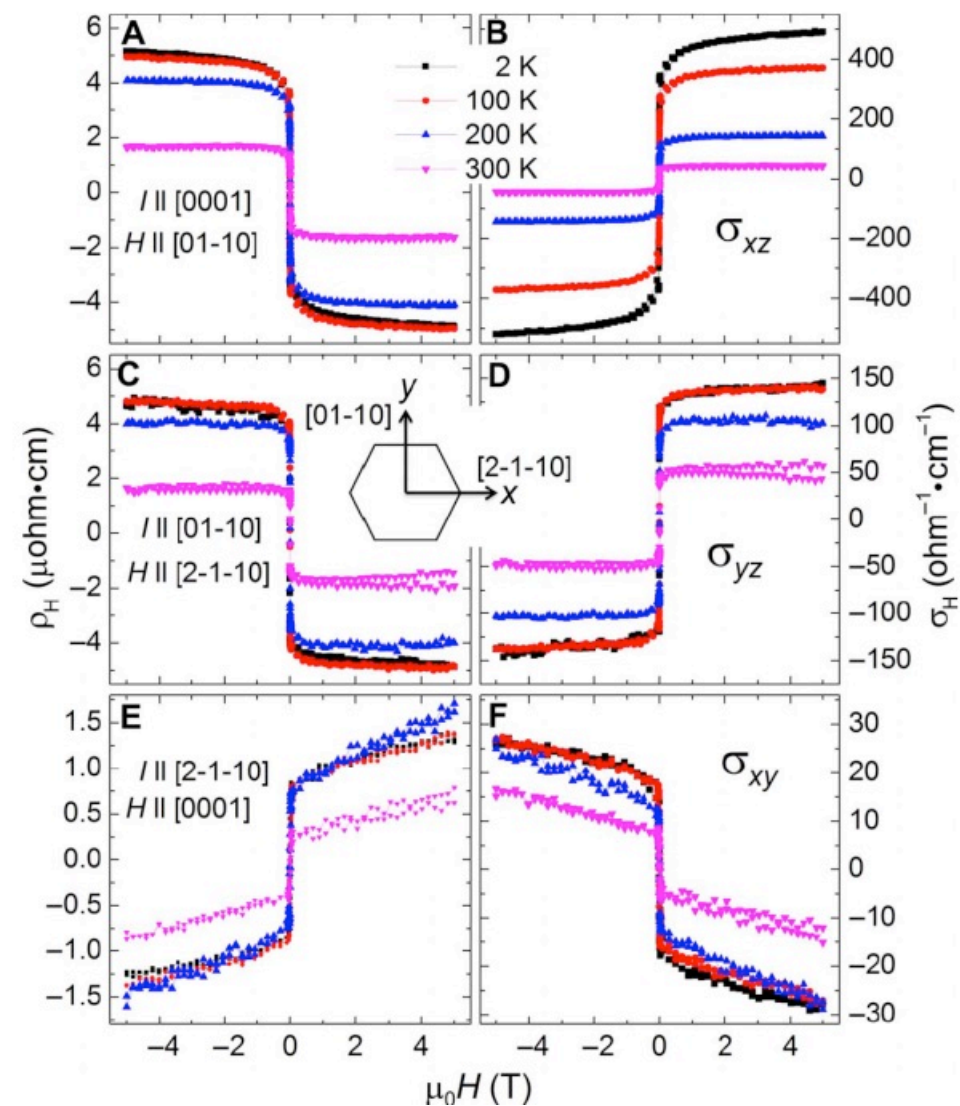
# Non-collinear AFM Mn<sub>3</sub>Ge/Mn<sub>3</sub>Sn

## LETTER

doi:10.1038/nature15723

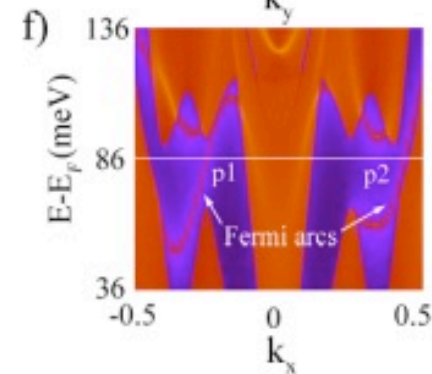
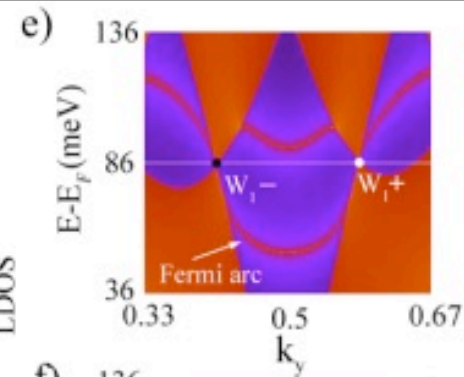
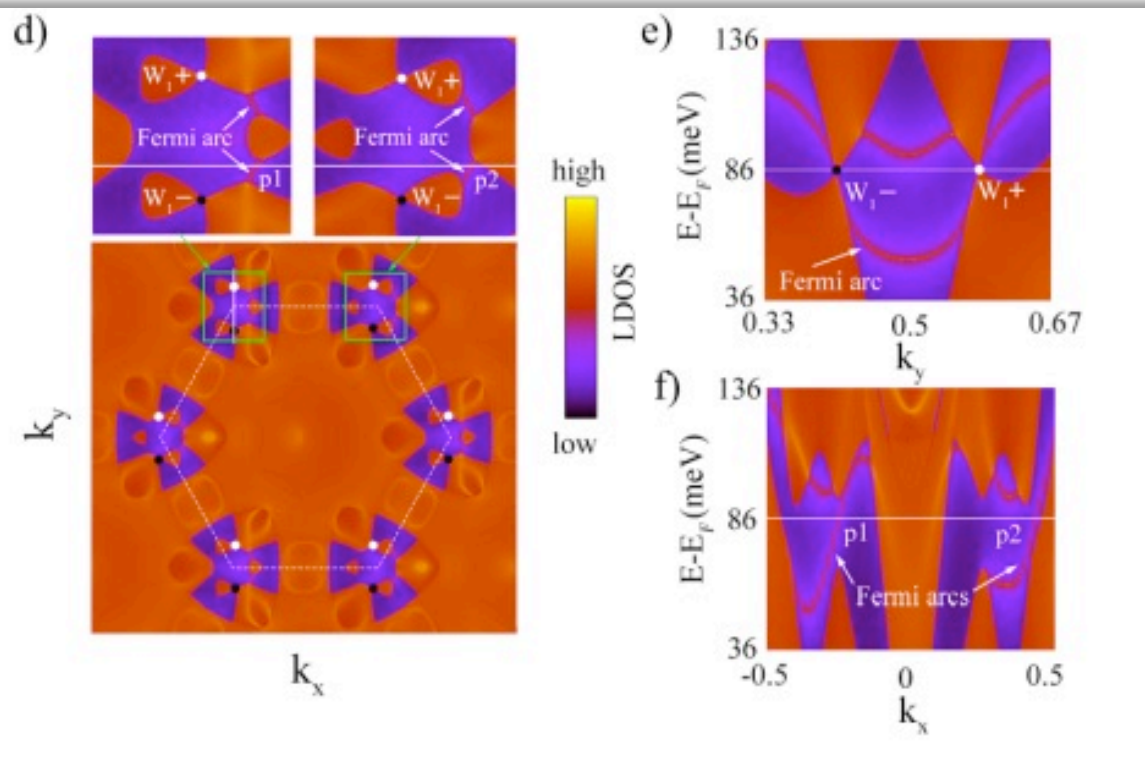
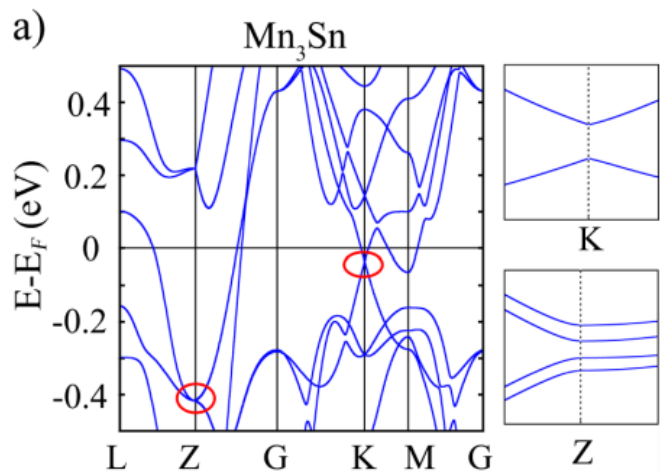
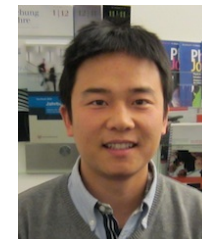
### Large anomalous Hall effect in a non-collinear antiferromagnet at room temperature

Satoru Nakatsuji<sup>1,2</sup>, Naoki Kiyohara<sup>1</sup> & Tomoya Higo<sup>1</sup>





# Fermiarcs in the Weyl AFM



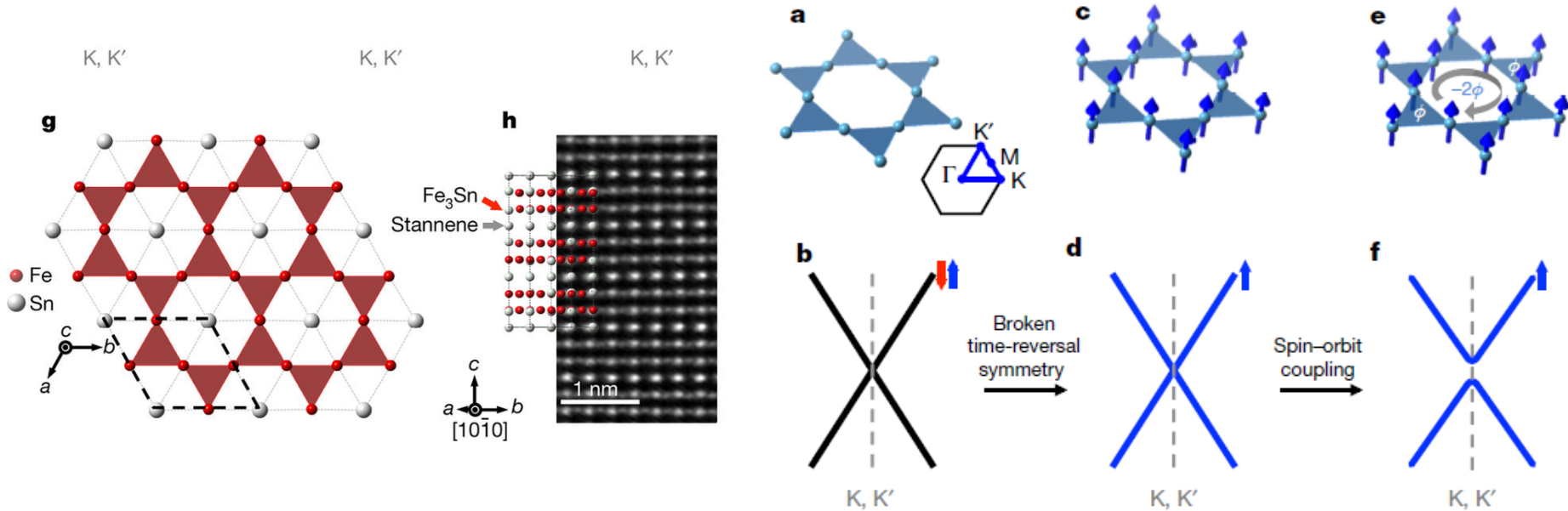
# Quantum topological states on Kagome lattice

## LETTER

doi:10.1038/nature25987

# Fe<sub>3</sub>Sn<sub>2</sub>

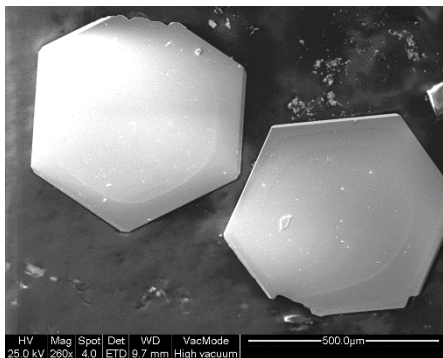
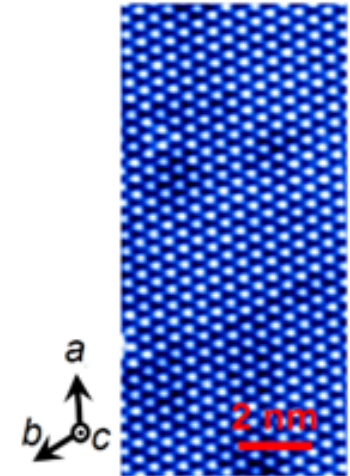
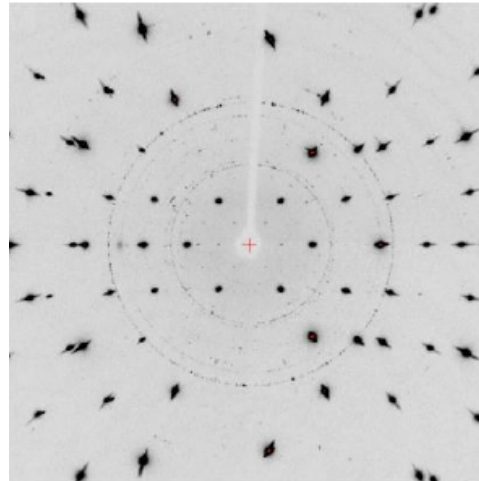
### Massive Dirac fermions in a ferromagnetic kagome metal



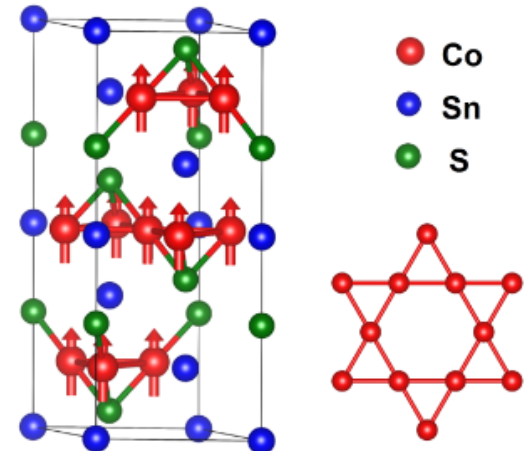
Looking for Weyl fermions on a ferromagnetic Kagomé lattice with out of plane magnetisation.

# Single crystal growth: $\text{Co}_3\text{Sn}_2\text{S}_2$

- Self-flux by congruent solidification
- Chemical Vapor Transport
- Bridgeman

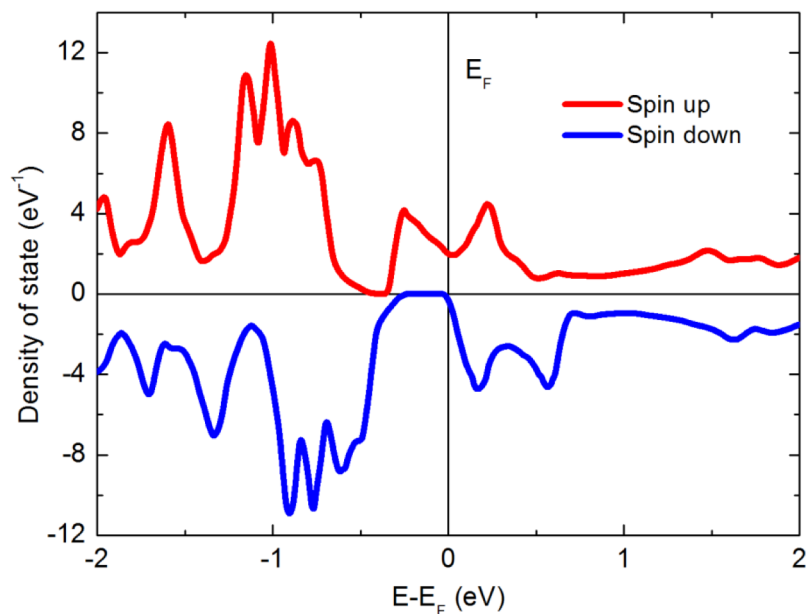


R -3 m: H  
Unit cell dimensions  
 $a = 5.3689(5) \text{ \AA}$   
 $c = 13.176(2) \text{ \AA}$



High-quality single crystals

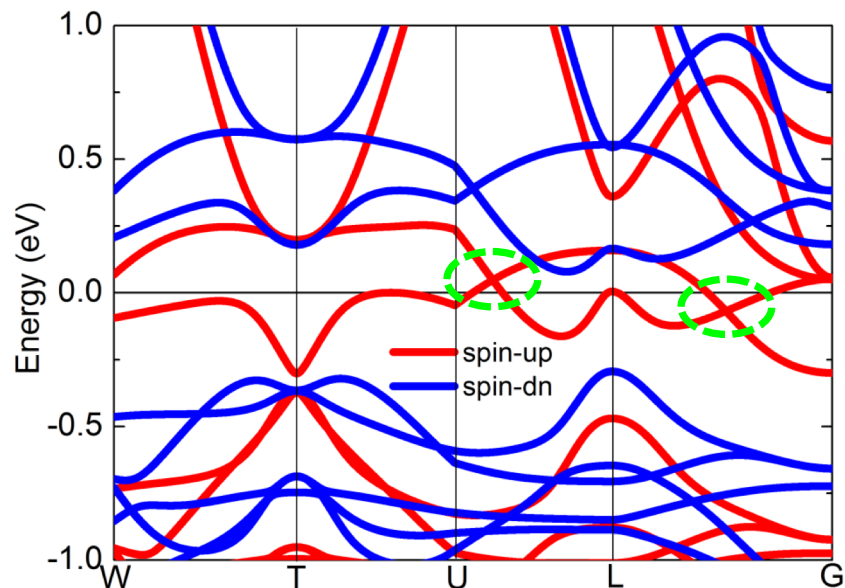
# Electron bands without SOC



spin-down channel insulating, gap 0.35 eV, spin-up channel metallic

Calc.:  $m = 0.89 \text{ uB/fu}$ ,

Calc.:  $m_{\text{Co}} = 0.30 \text{ uB/Co}$

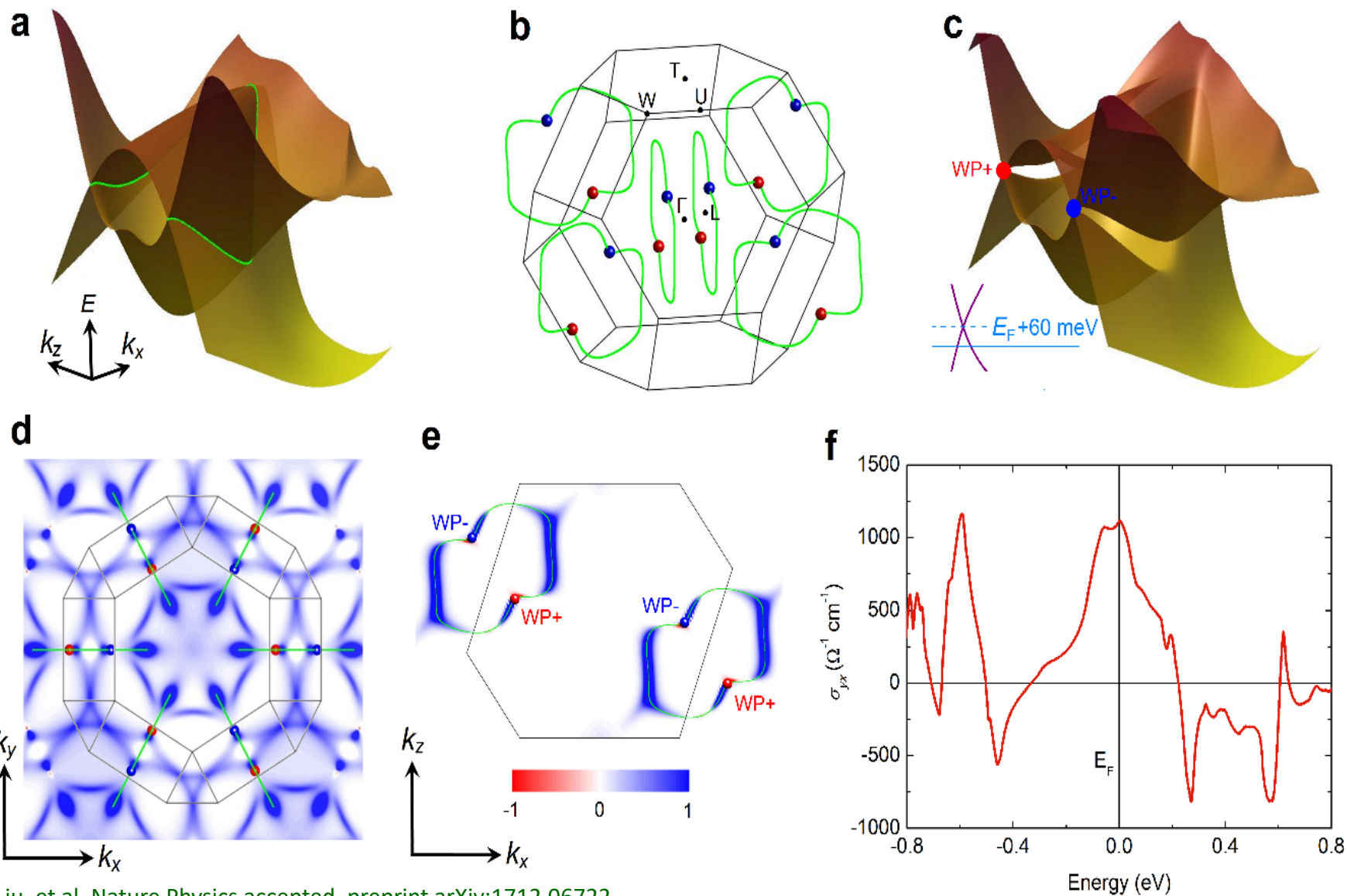


Linear crossing around Fermi level  
Possible Weyl nodes with SOC?



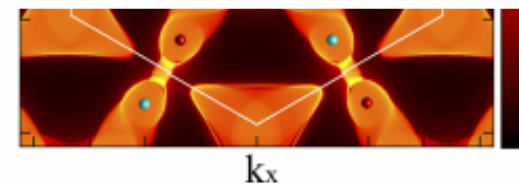
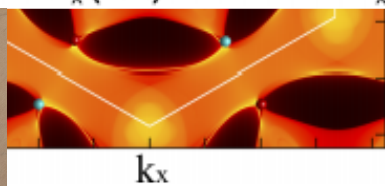
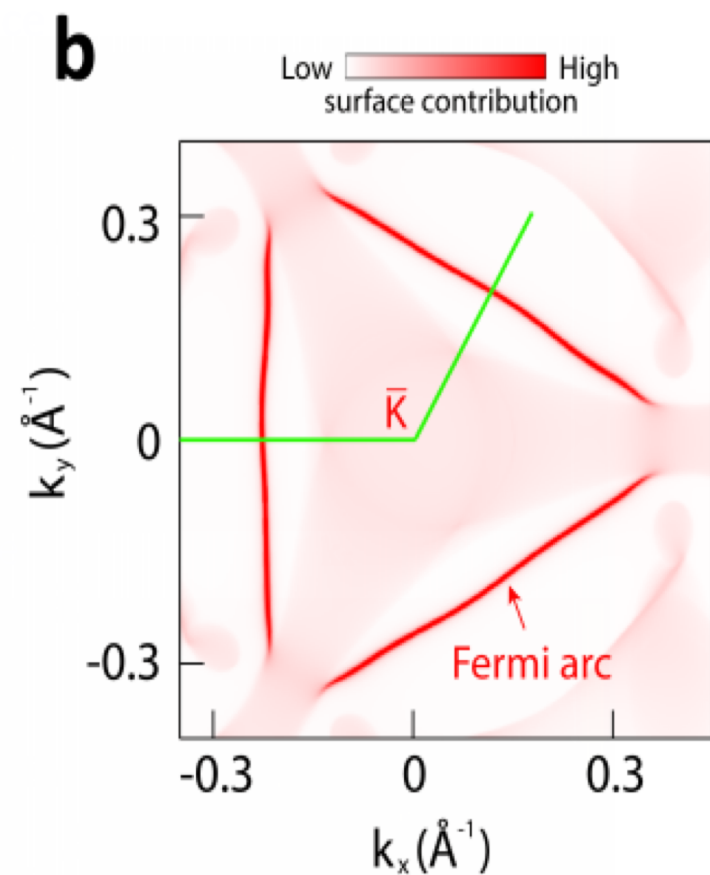
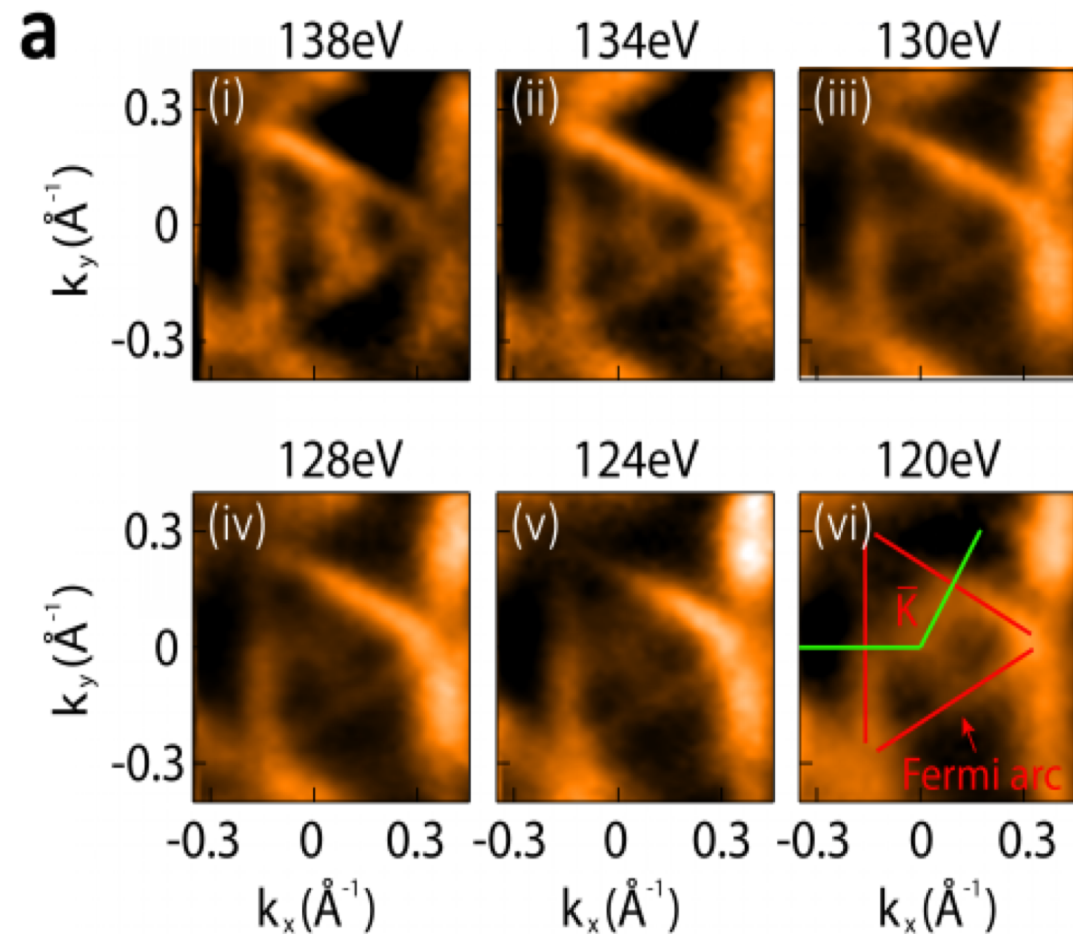


# Prediction of a Weyl



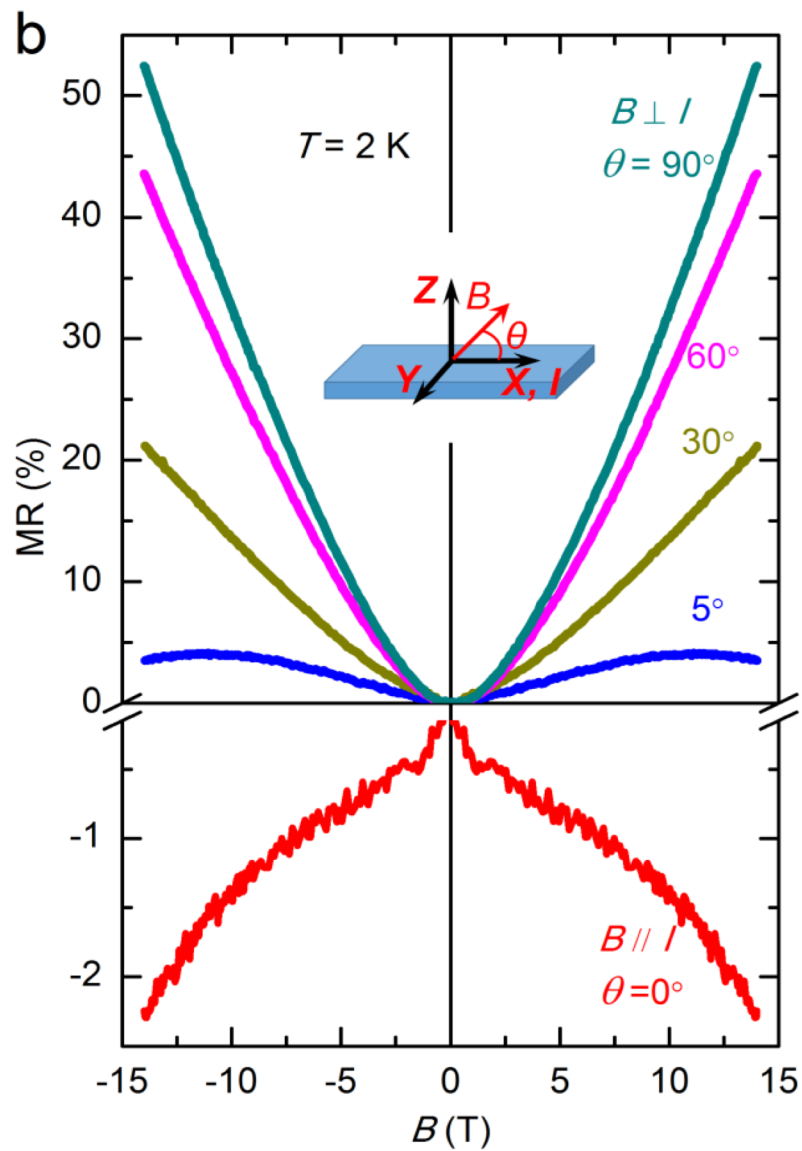
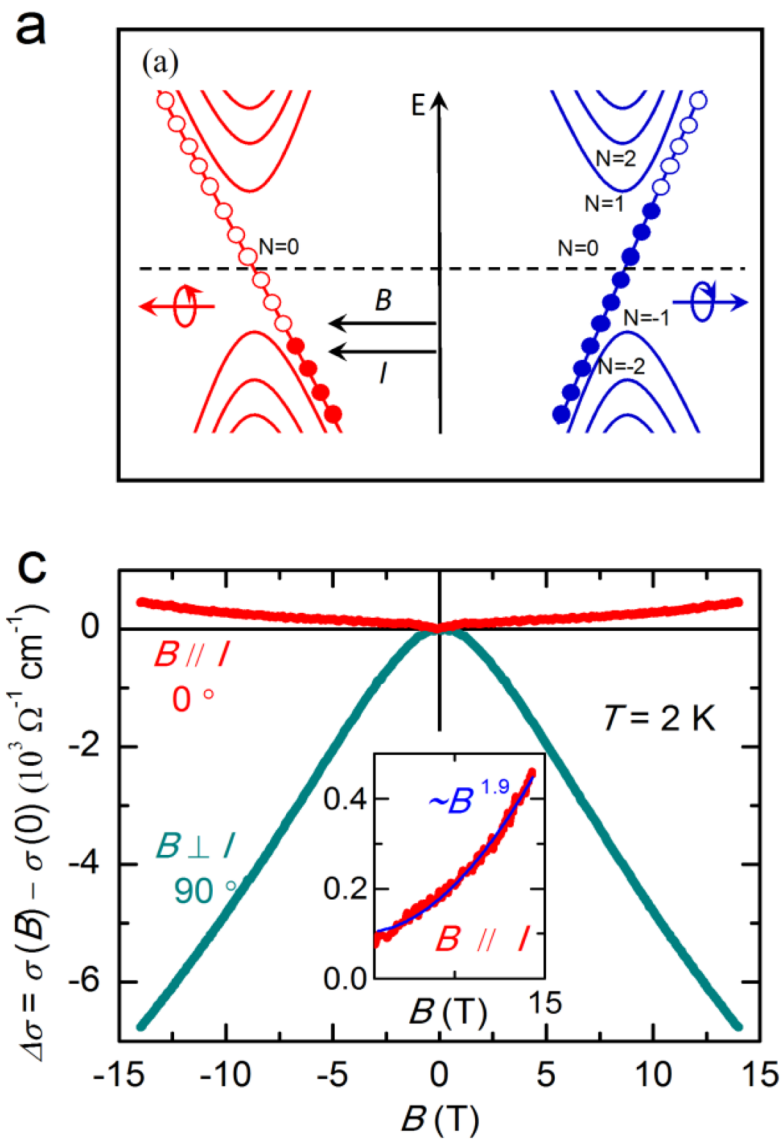


# Fermiarcs



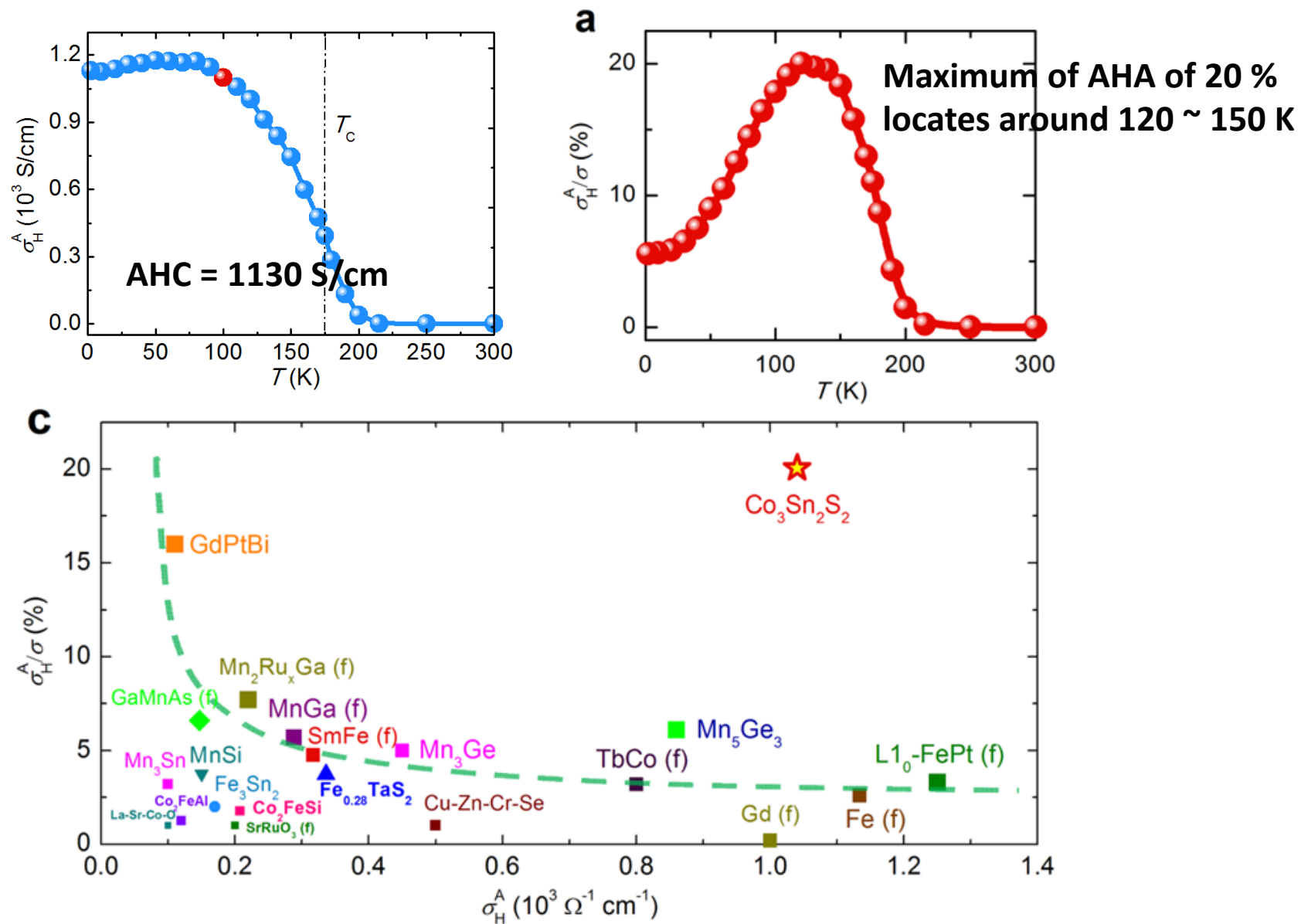


# Chiral Anomaly



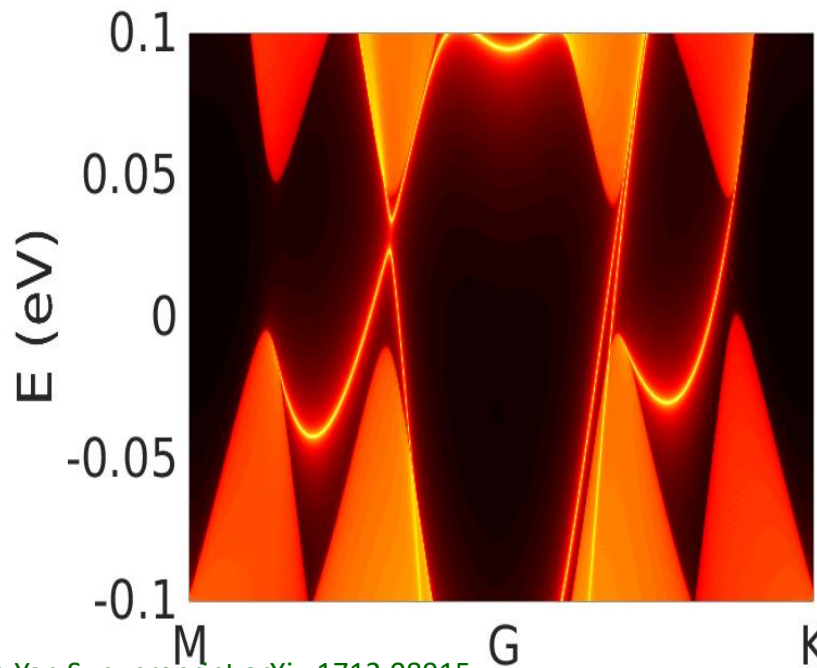
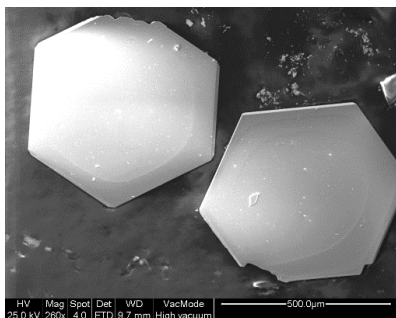
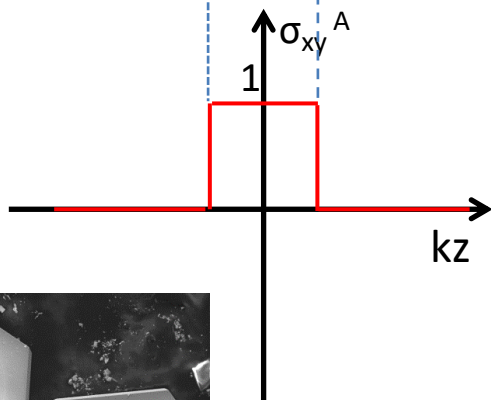
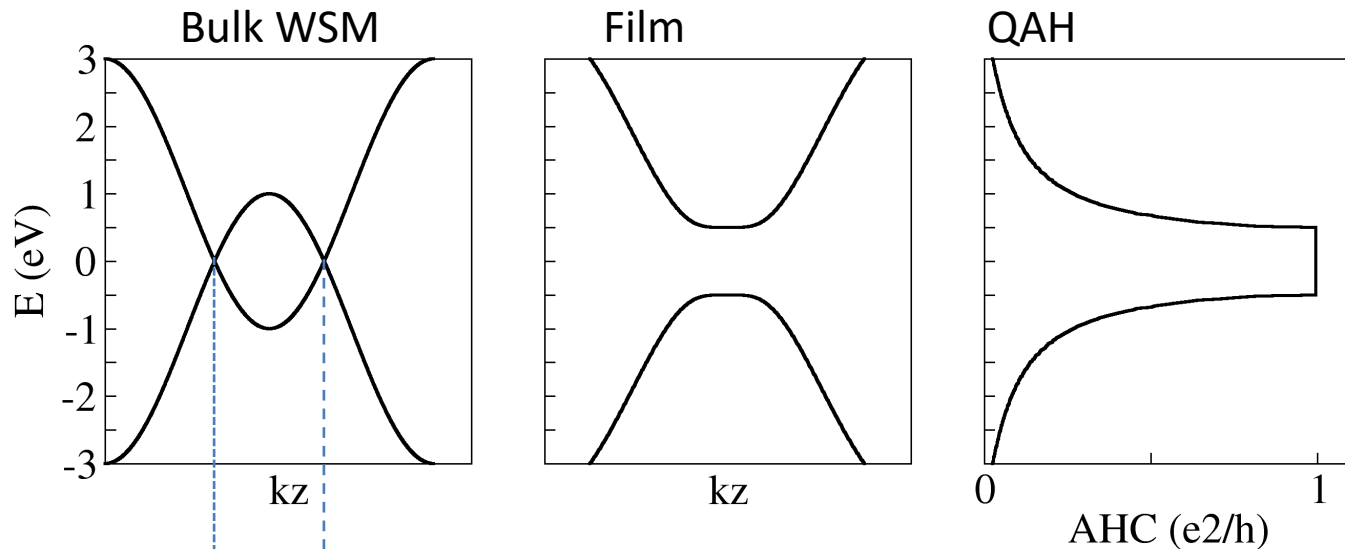


# Anomalous Hall conductivity



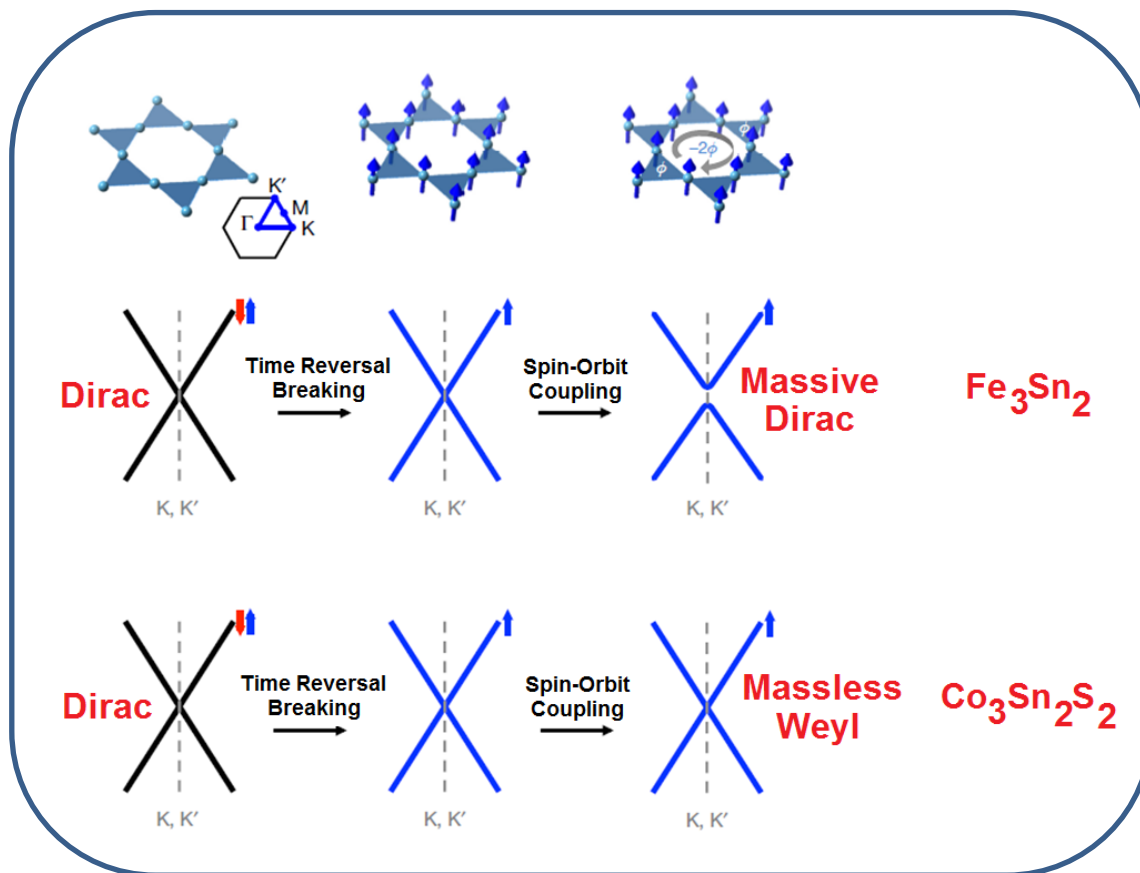


# Quantum Anomalous Hall effect





## Massive Dirac fermions in a ferromagnetic kagome metal



A new progress with Dirac fermions with a tiny band gap on Kagomé lattice, online in Nature two weeks ago.

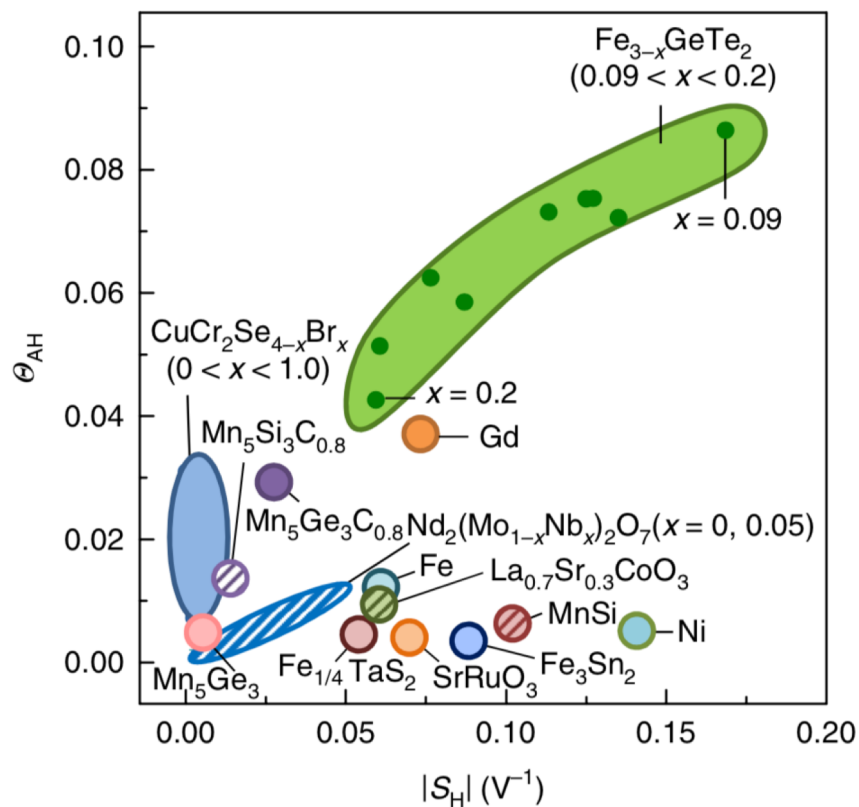
Nature, 2018, doi:10.1038/nature25987

Co<sub>3</sub>Sn<sub>2</sub>S<sub>2</sub> goes even further and for the first time shows the gapless (massless) Weyl fermions in the ferromagnetic Kagome lattice.



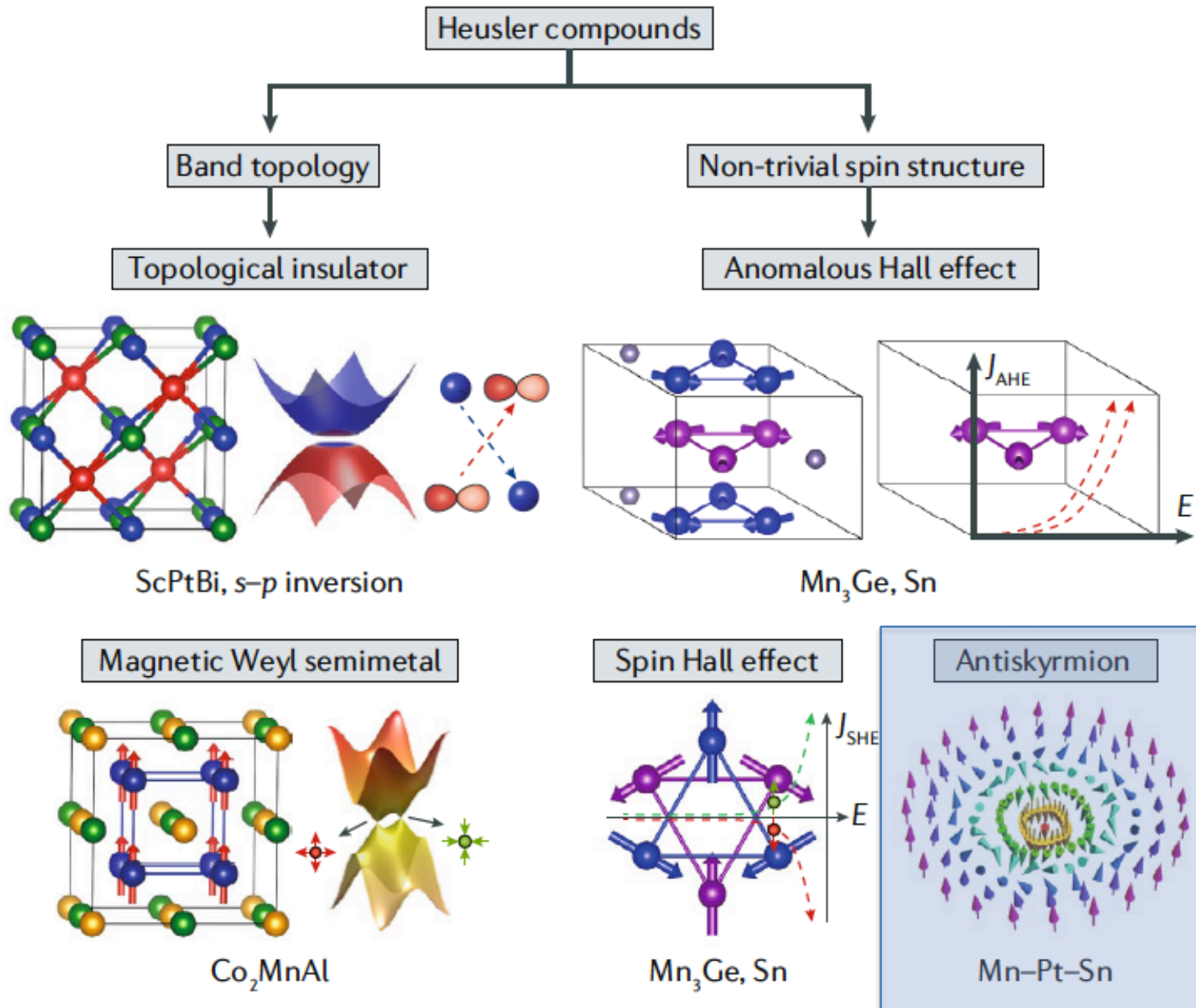
# Large anomalous Hall current induced by topological nodal lines in a ferromagnetic van der Waals semimetal

Kyoo Kim<sup>1,2,10</sup>, Junho Seo<sup>1,3,10</sup>, Eunwoo Lee<sup>4,5,6</sup>, K.-T. Ko<sup>1,2</sup>, B. S. Kim<sup>4,5</sup>, Bo Gyu Jang<sup>7</sup>, Jong Mok Ok<sup>1,3</sup>, Jinwon Lee<sup>1,3</sup>, Youn Jung Jo<sup>8</sup>, Woun Kang<sup>1,9</sup>, Ji Hoon Shim<sup>7</sup>, C. Kim<sup>4,5</sup>, Han Woong Yeom<sup>1,3</sup>, Byung Il Min<sup>1</sup>, Bohm-Jung Yang<sup>4,5,6,\*</sup> and Jun Sung Kim<sup>1,3\*</sup>





# Magnetism and Topology





# Summary

GdPtBi is an ideal Weyl semimetal

In magnetic Weyls we have additional degrees of freedoms –

Co<sub>2</sub>MnGa

Co<sub>3</sub>Sn<sub>2</sub>S<sub>2</sub>

Large Berry curvatures lead to large AHE and ANE

and in the 2D limit to a QAH effect – for room temperature applications

Berry curvatures in zero moment compounds:

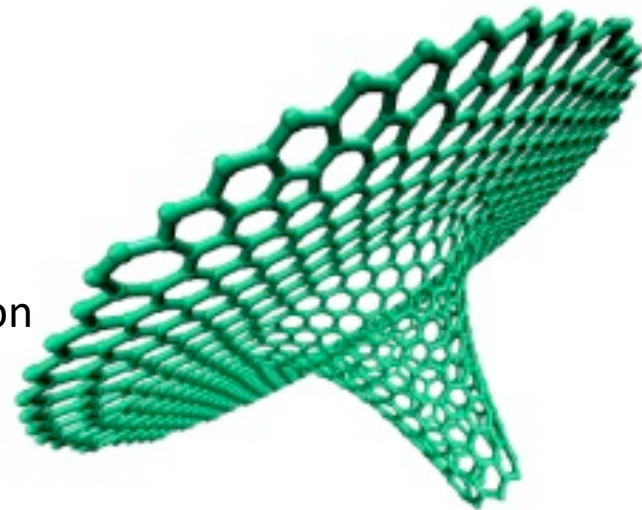
Mn<sub>3</sub>Sn

Ti<sub>2</sub>MnGa

Is there a relation between real space? Skyrmion

New topological physics, hydrodynamics ...

... much more to do!





# Single Crystals available

BaCr <sub>2</sub> As <sub>2</sub>	AlPt	MoSe <sub>2</sub> -xTex	Ag <sub>2</sub> Se	YPtBi	YbMnBi <sub>2</sub>
BaCrFeAs <sub>2</sub>	GdAs	MoTe <sub>2</sub> -xSex	IrO <sub>2</sub>	NdPtBi	Ni <sub>2</sub> Mn <sub>1.4</sub> In <sub>0.6</sub>
	CoSi	MoTe <sub>2</sub> (T'/2H)	OsO <sub>2</sub>	GdPtBi	YFe <sub>4</sub> Ge <sub>2</sub>
CaPd <sub>3</sub> O <sub>4</sub>			ReO <sub>2</sub>	YbPtBi	
SrPd <sub>3</sub> O <sub>4</sub>	MoP	PtTe <sub>2</sub>	WP <sub>2</sub>	ScPdBi	Mn <sub>1.4</sub> PtSn
BaBiO <sub>3</sub>	WP	PtSe <sub>2</sub>	MoP <sub>2</sub>	YPdBi	
		PdTe <sub>2</sub>		ErPdBi	CuMnSb
Bi <sub>2</sub> Te <sub>2</sub> Se	TaP	PdSe <sub>2</sub>	VAI <sub>3</sub>	GdAuPb	CuMnAs
Bi <sub>2</sub> Te <sub>3</sub>	NbP	OsTe <sub>2</sub>	Mn <sub>3</sub> Ge	TmAuPb	
Bi <sub>2</sub> Se <sub>3</sub>	NbAs	RhTe <sub>2</sub>	Mn <sub>3</sub> Ir	AuSmPb	Co <sub>2</sub> Ti <sub>0.5</sub> V <sub>0.5</sub> Sn
BiSbTe <sub>2</sub> S	TaAs	TaTe <sub>2</sub>	Mn <sub>3</sub> Rh	AuPrPb	Co <sub>2</sub> VAI <sub>0.5</sub> Si <sub>0.5</sub>
BiTeI	NbP-Mo	NbTe <sub>2</sub>	Mn <sub>3</sub> Pt	AuNdPb	Co <sub>2</sub> Ti <sub>0.5</sub> V <sub>0.5</sub> Si
BiTeBr	NbP-Cr	WSe <sub>2</sub>	OsSn	Nb <sub>2</sub> Si	Mn <sub>2</sub> CoGa
BiTeCl	TaP-Mo	HfTe <sub>5</sub>	OsLuSn	AuLuSn	Co <sub>2</sub> MnGa
	TaAsP	MoTe <sub>2</sub>		AuYSn	Co <sub>2</sub> Al <sub>9</sub>
LaBi, LaSb		TaS <sub>2</sub>		ErAuSn	Co <sub>2</sub> MnAl
GdBi, GdSb	CrNb <sub>3</sub> S <sub>6</sub>	PdSb <sub>2</sub>		EuAuBi	Co <sub>2</sub> VGa <sub>0.5</sub> Si <sub>0.5</sub>
	V <sub>3</sub> S <sub>4</sub>	Cu <sub>x</sub> WTe <sub>2</sub>			Co <sub>2</sub> TiSn
HfSiS	Cd <sub>3</sub> As <sub>2</sub>	FexWTe <sub>2</sub>		CaAgAs	Co <sub>2</sub> VGa
ZrSiS		WTe <sub>2</sub>			Co <sub>2</sub> V <sub>0.8</sub> Mn <sub>0.2</sub> Ga
	MnP	Co <sub>0.4</sub> Ta <sub>2</sub> S <sub>2</sub>		KMgSb	CoFeMnSi
Bi <sub>4</sub> I <sub>4</sub>	MnAs	Fe <sub>0.4</sub> Ta <sub>2</sub> S <sub>2</sub>		KMgBi	
				KHgSb	
BaSn <sub>2</sub>				KHgBi	
				LiZnAs	
				LiZnSb	

Thank you!